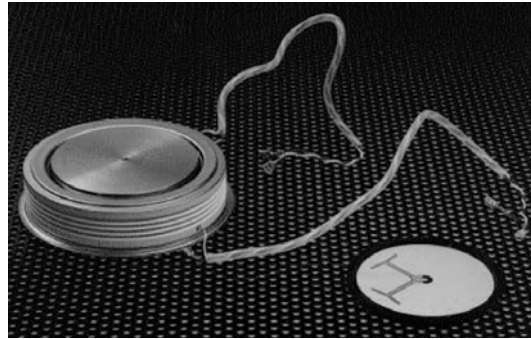
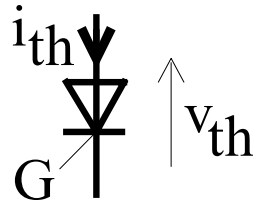
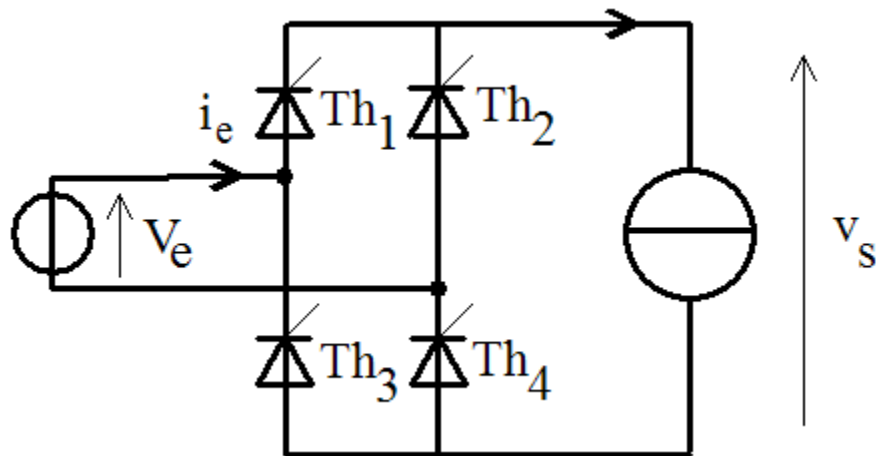


II.2 Redressement monophasé commandé en pont complet

→ Ponts à Thyristors

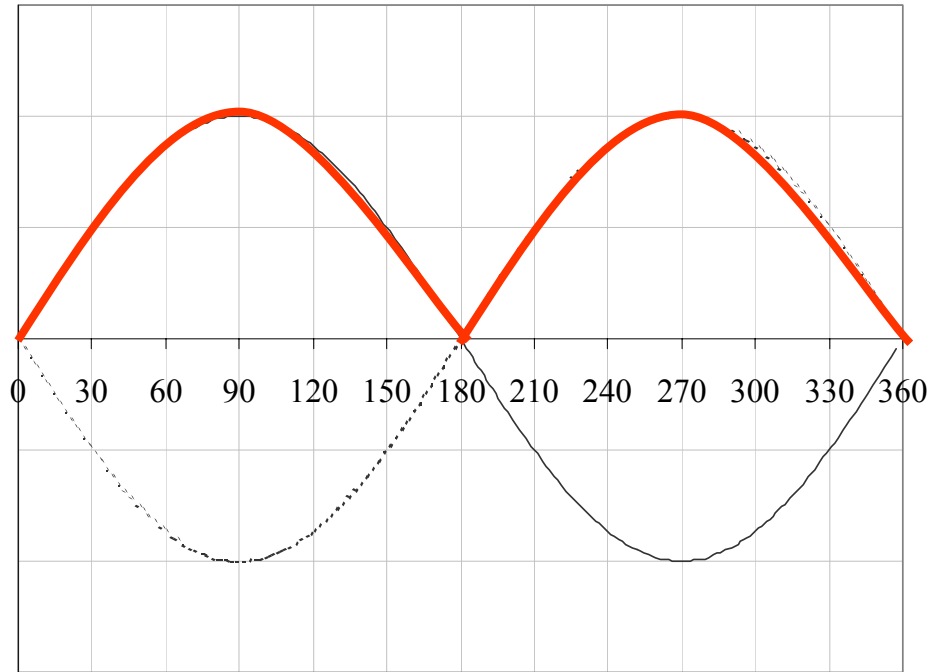
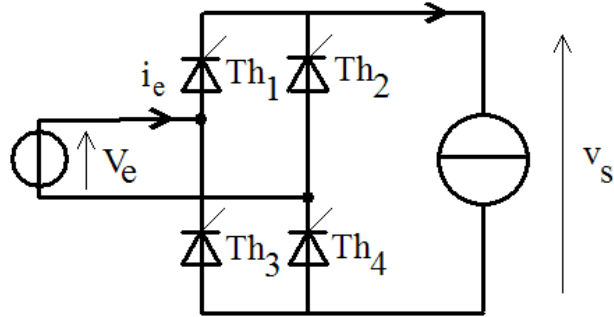


a. Montage

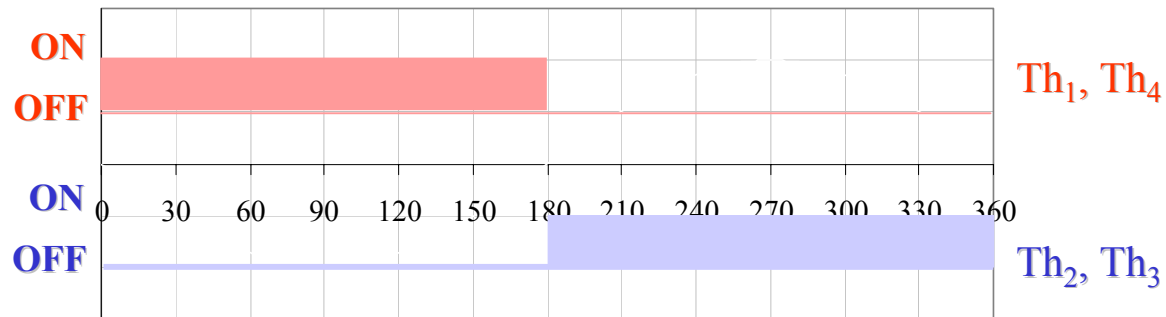


Amorçage des thyristors : définit par rapport aux instants de commutation naturelle

Tension de sortie

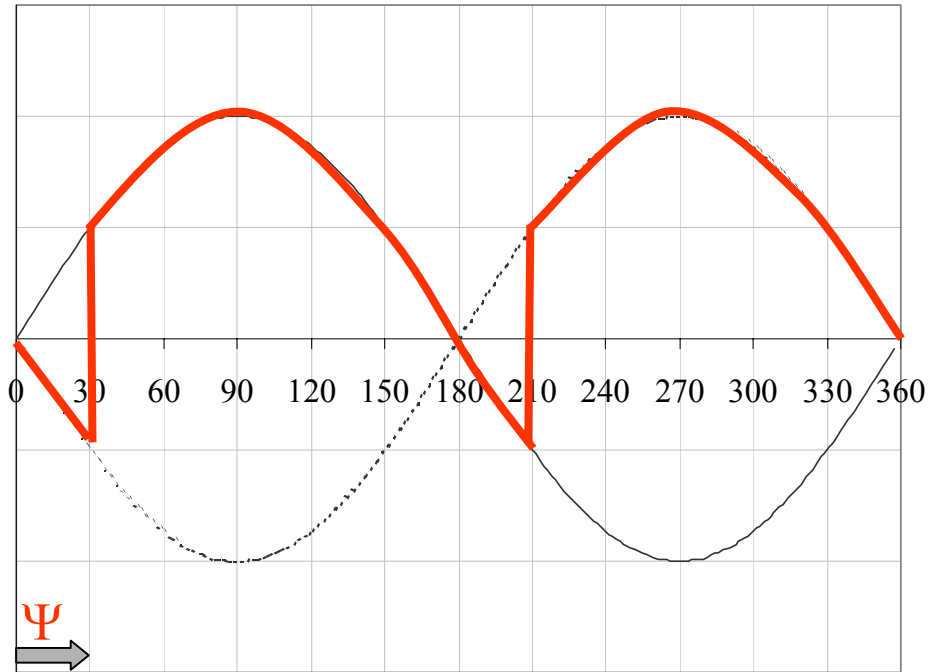
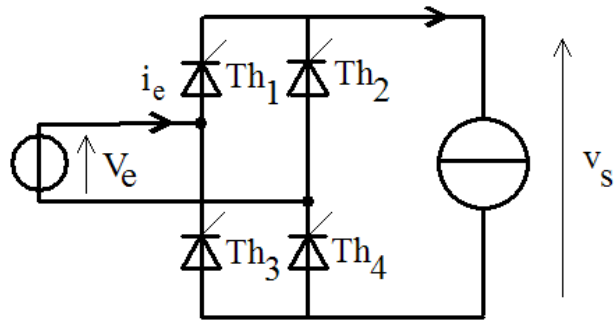


Commande des thyristors

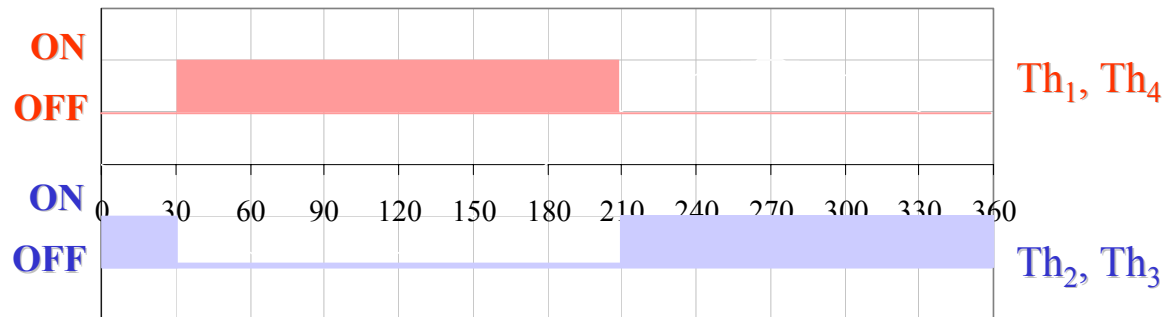


$\Psi = 0$

Tension de sortie

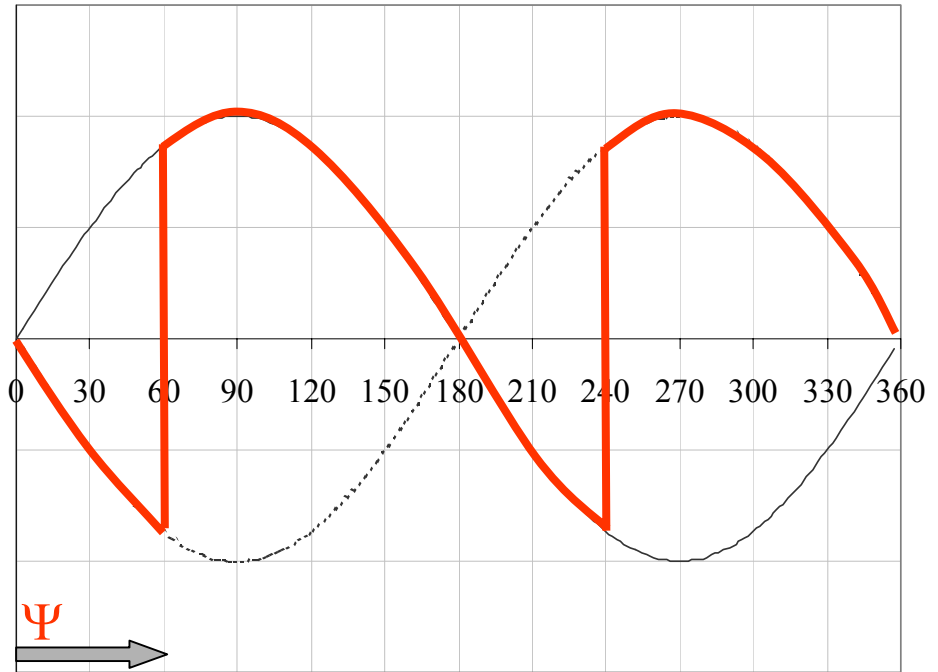
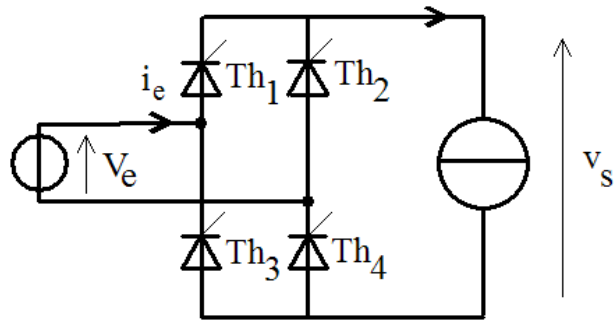


Commande des thyristors

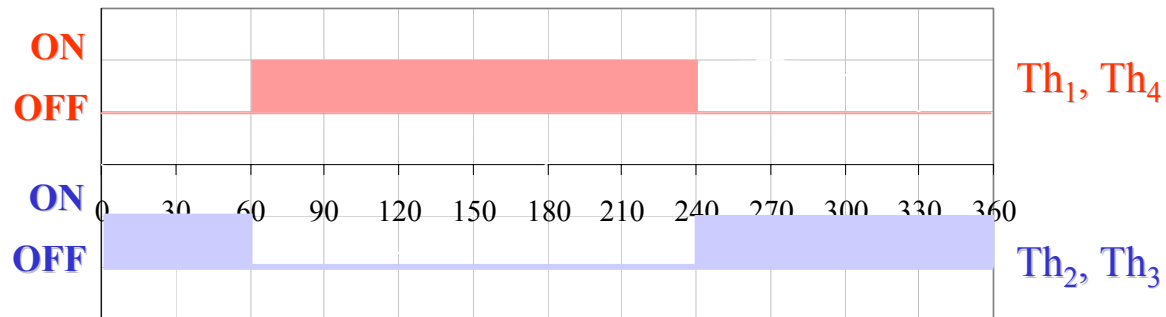


$\Psi = 30^\circ$

Tension de sortie

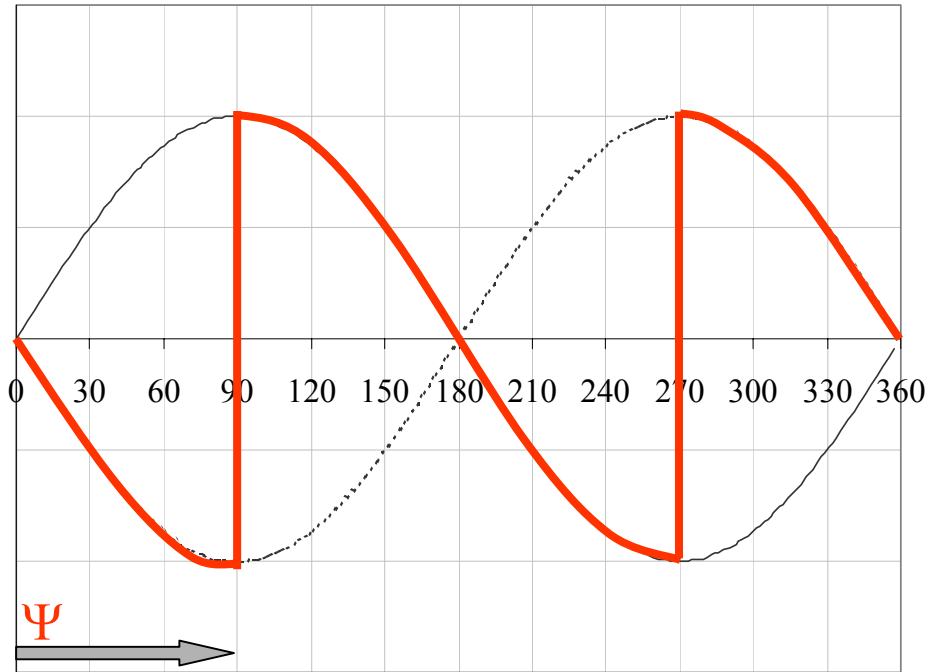
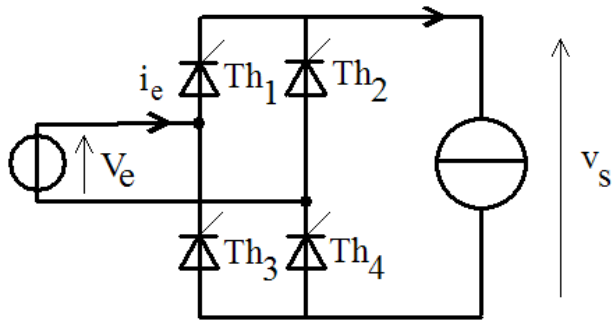


Commande des thyristors

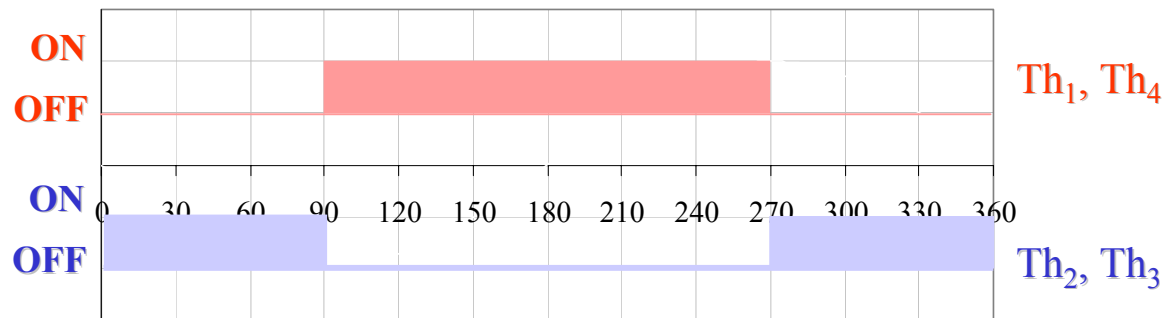


$\Psi = 60^\circ$

Tension de sortie

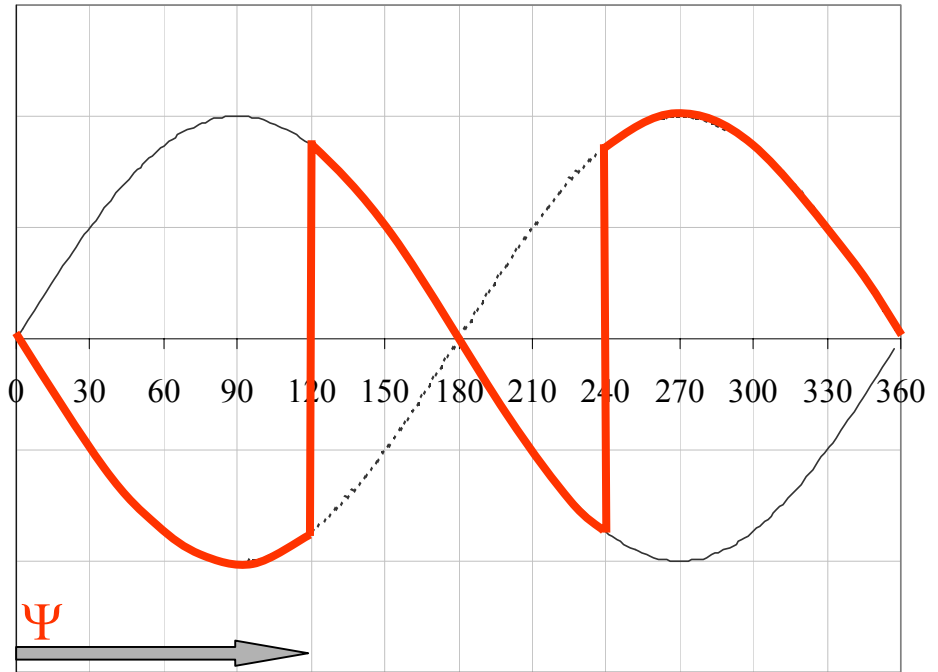
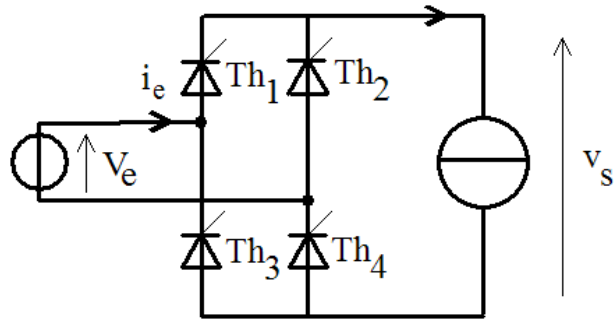


Commande des thyristors

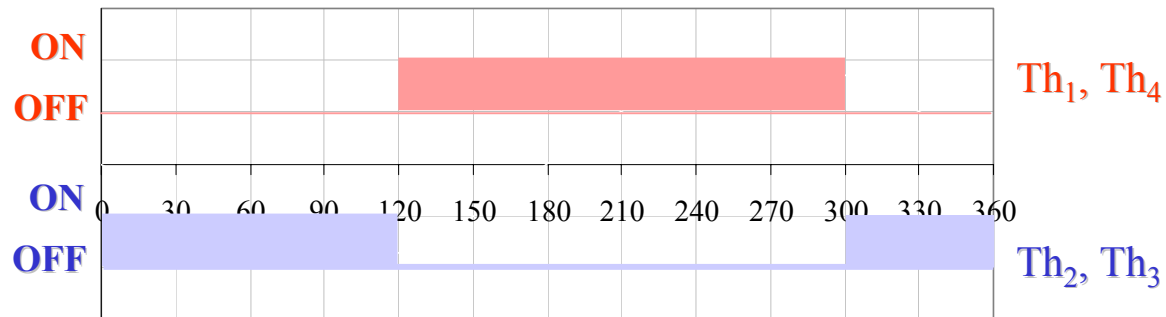


$\Psi = 90^\circ$

Tension de sortie

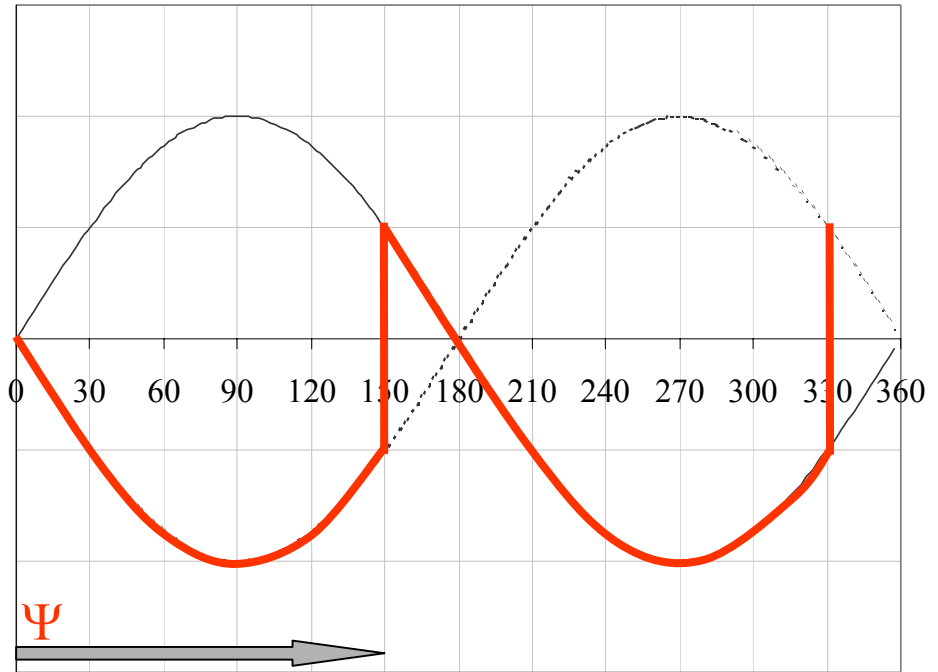
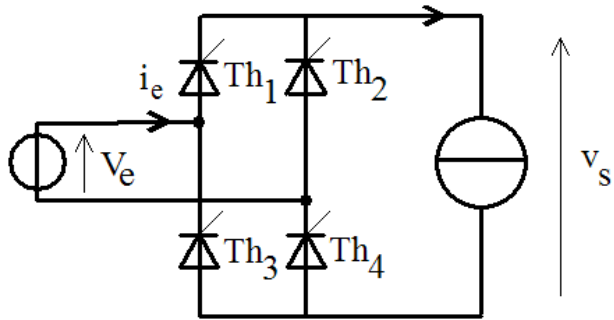


Commande des thyristors

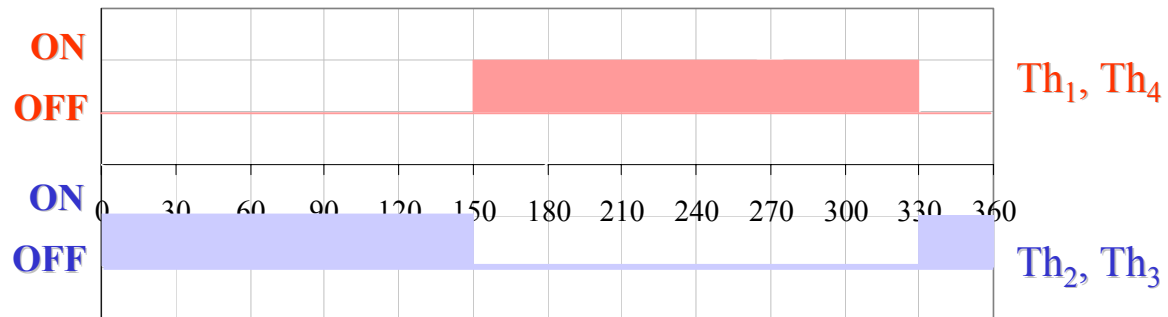


$\Psi = 120^\circ$

Tension de sortie

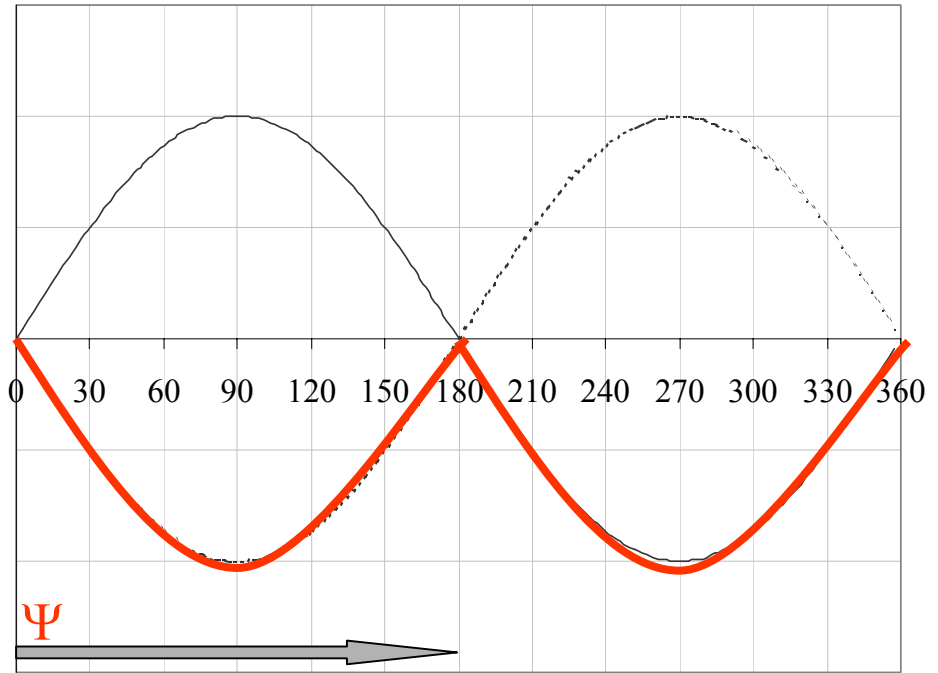
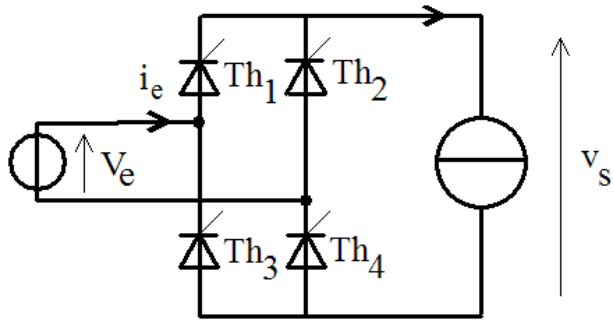


Commande des thyristors

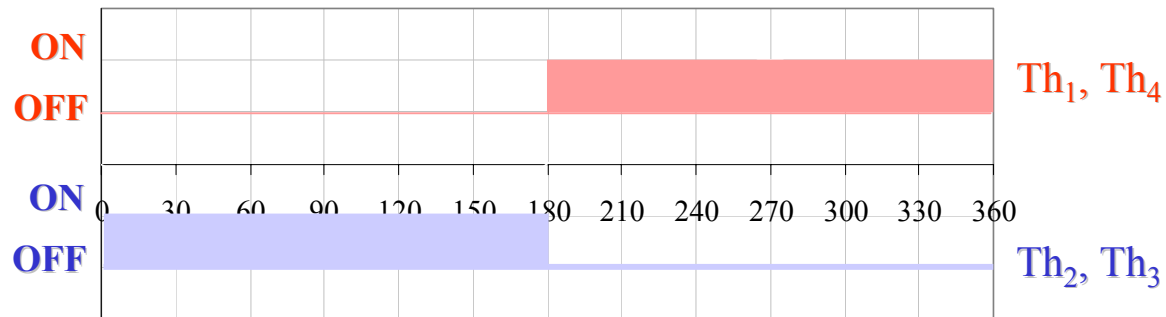


$\Psi = 150^\circ$

Tension de sortie



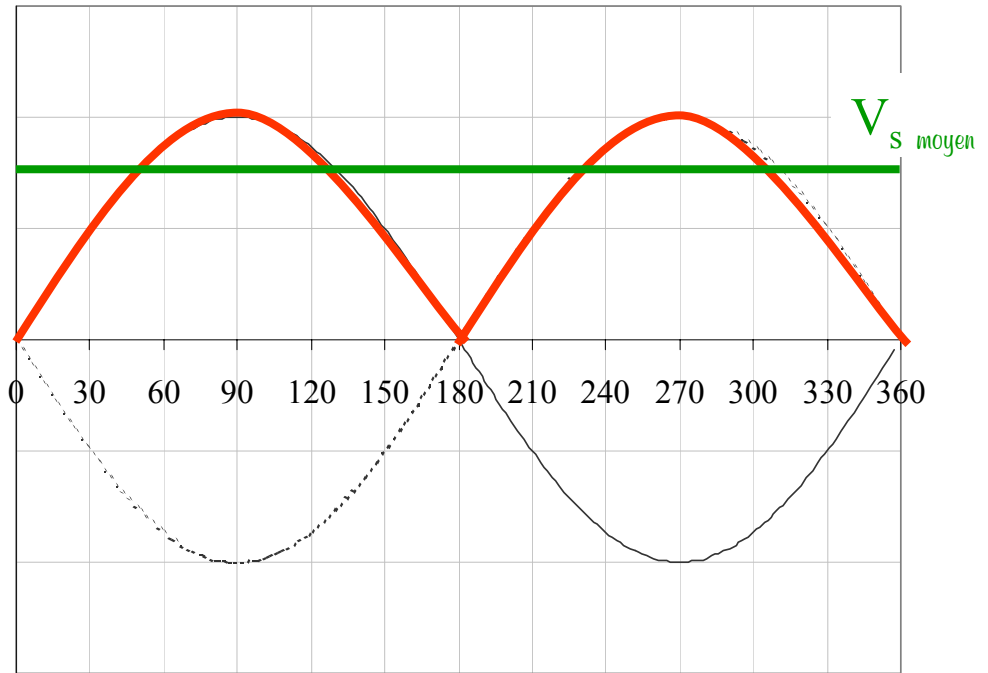
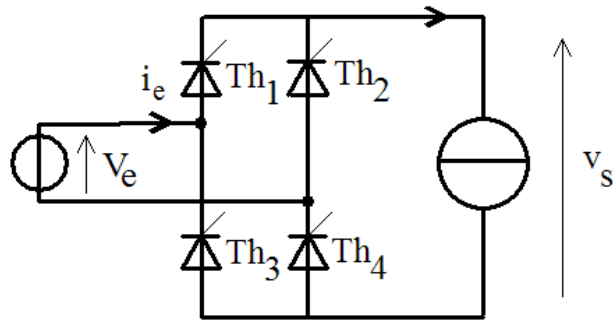
Commande des thyristors



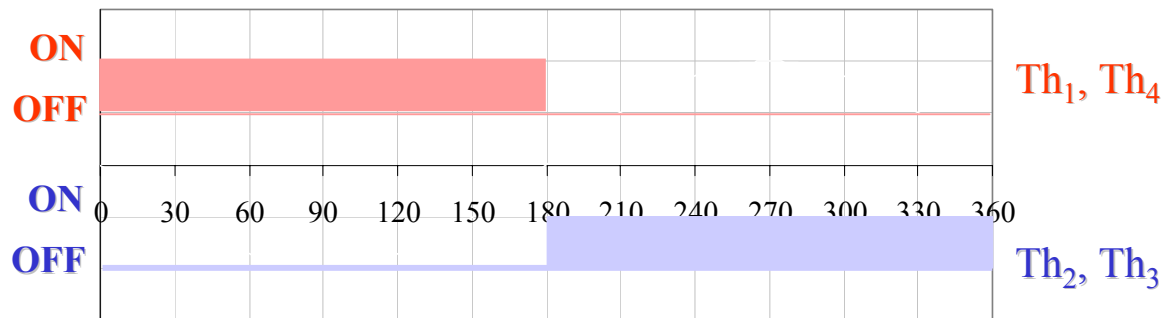
$\Psi = 180^\circ$

Variation de Ψ = Variation de tension moyenne de sortie

Tension de sortie



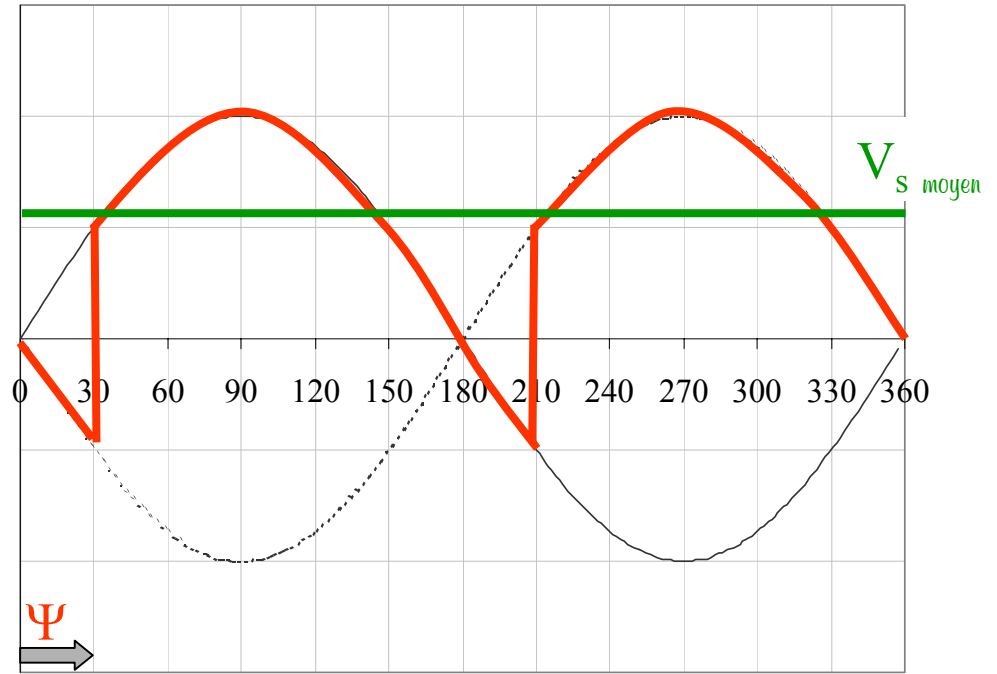
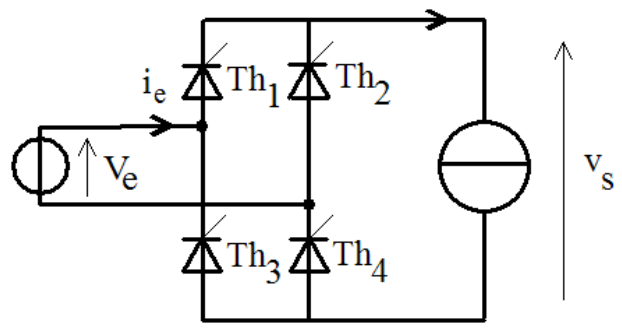
Commande des thyristors



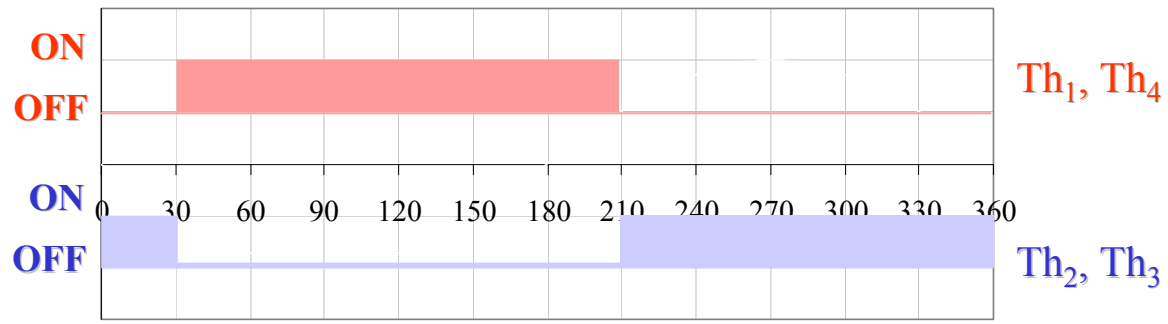
$\Psi = 0$

Variation de Ψ = Variation de tension moyenne de sortie

Tension de sortie



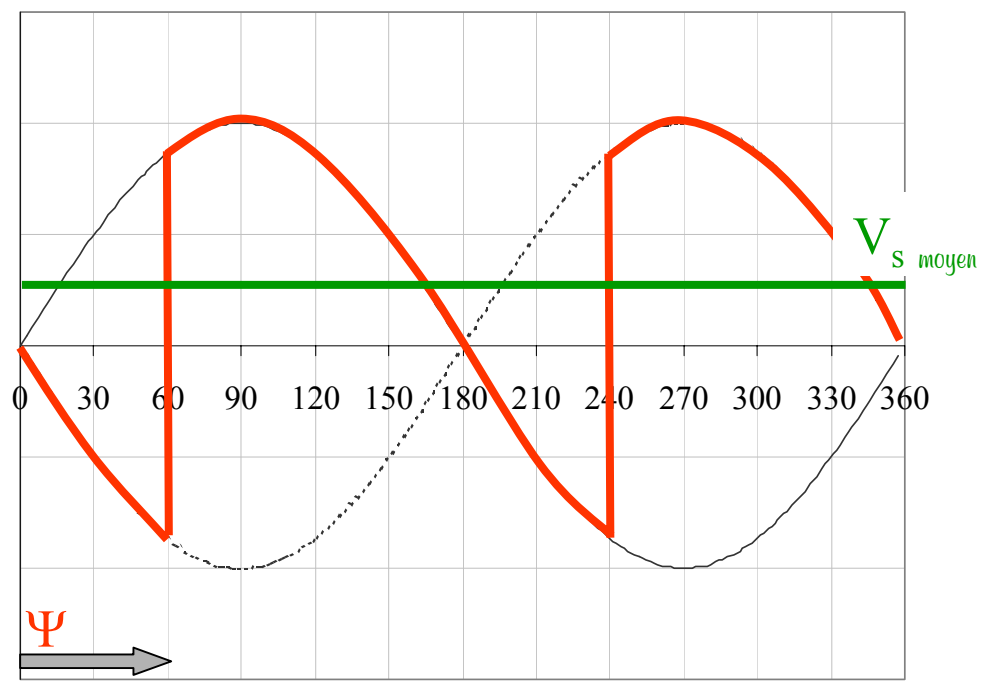
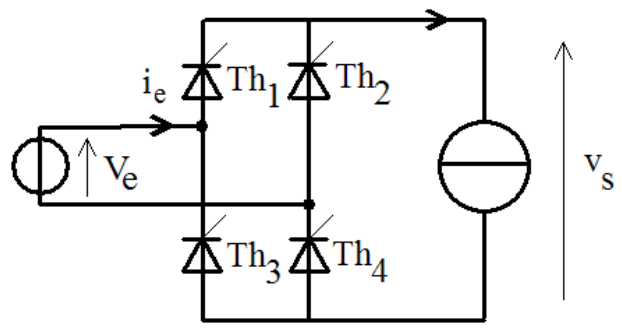
Commande des thyristors



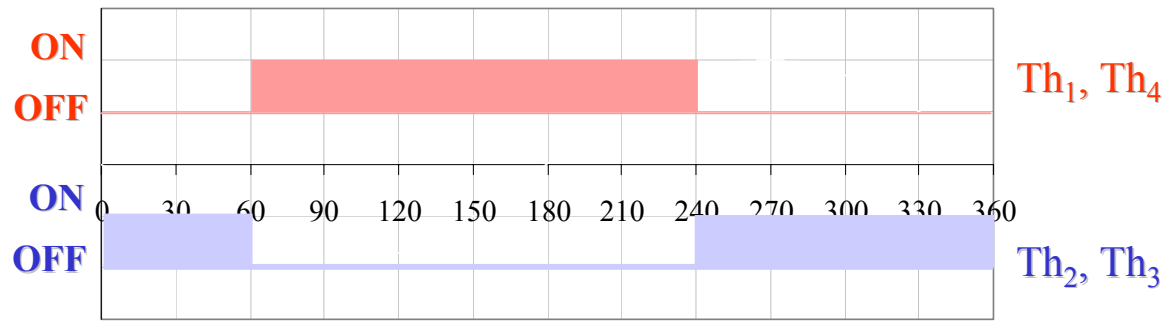
$\Psi = 30^\circ$

Variation de Ψ = Variation de tension moyenne de sortie

Tension de sortie



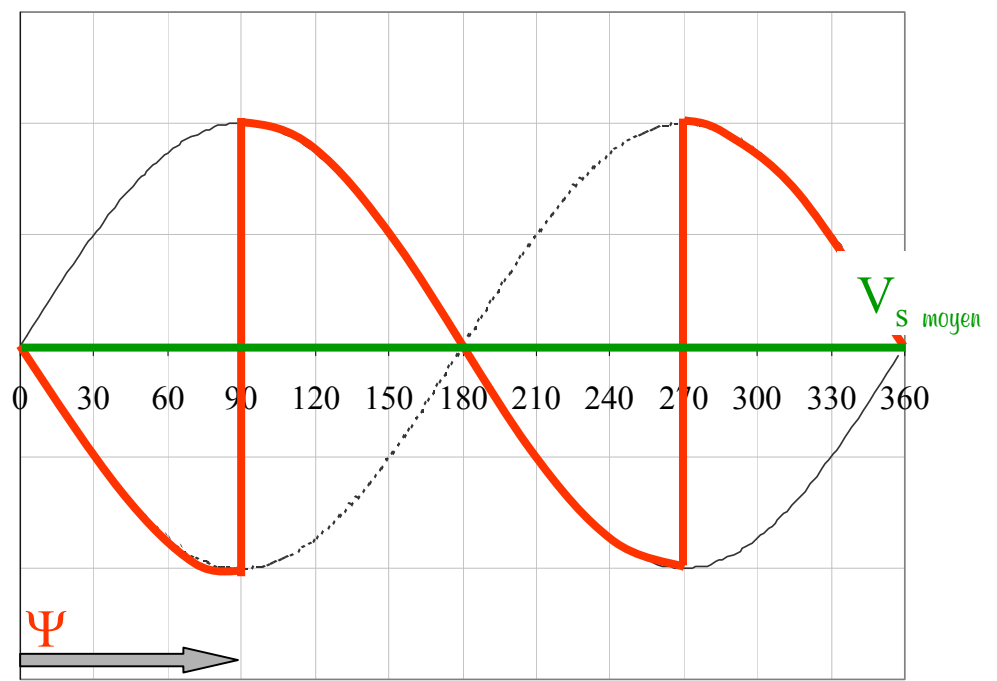
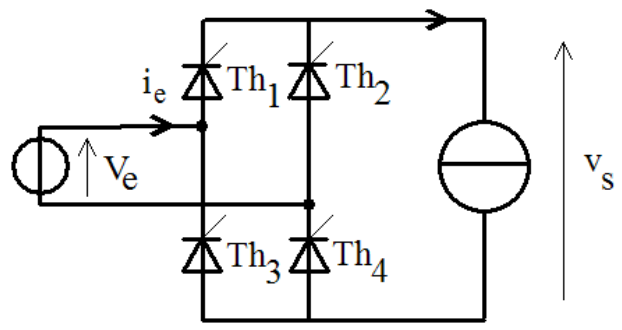
Commande des thyristors



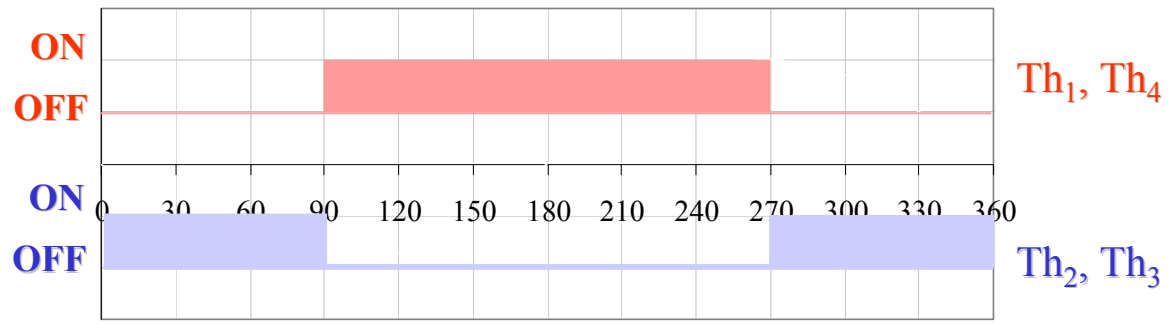
$\Psi = 60^\circ$

Variation de Ψ = Variation de tension moyenne de sortie

Tension de sortie



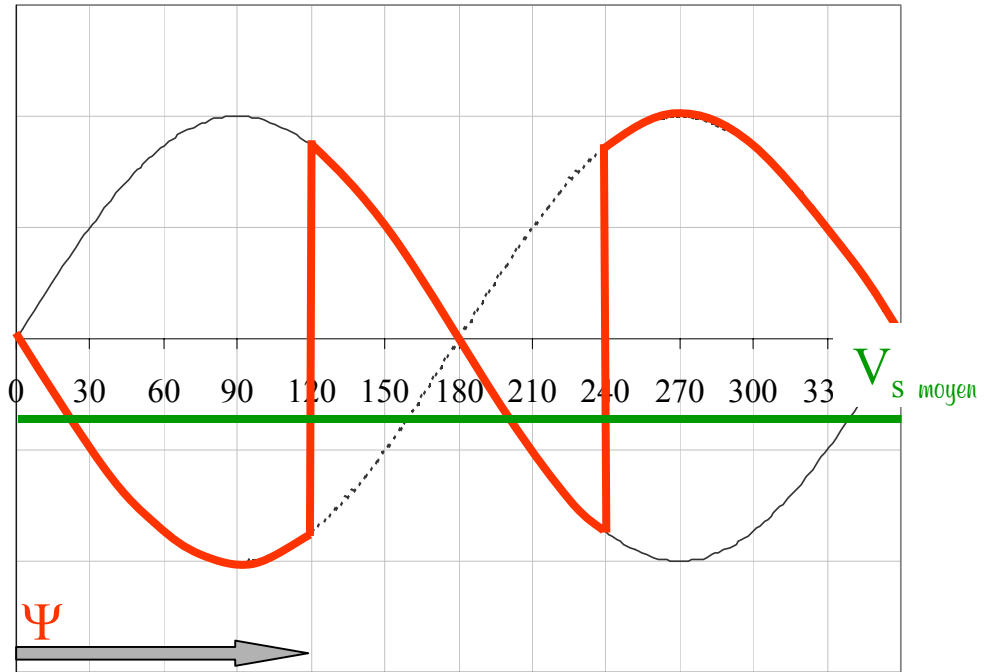
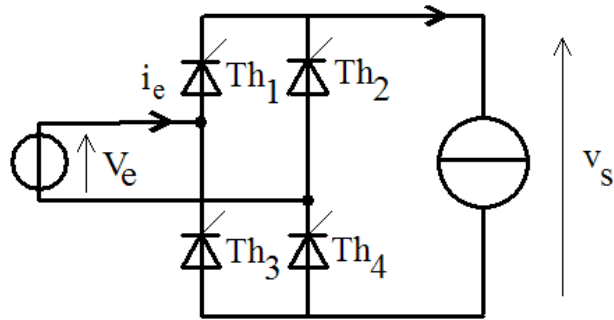
Commande des thyristors



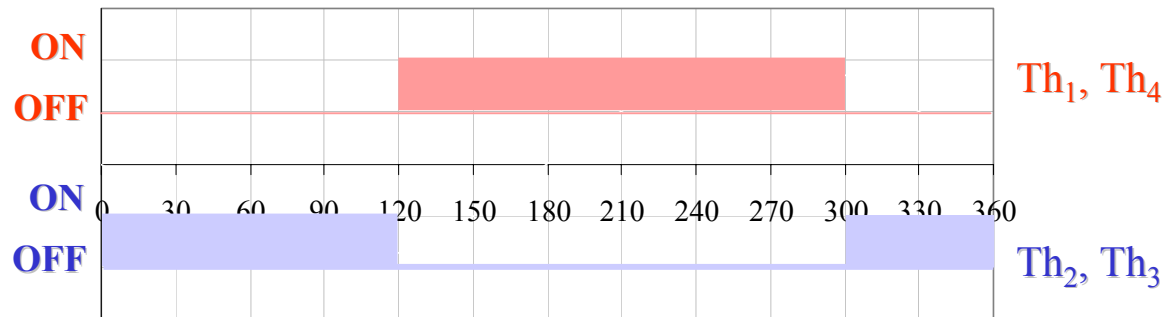
$\Psi = 90^\circ$

Variation de Ψ = Variation de tension moyenne de sortie

Tension de sortie



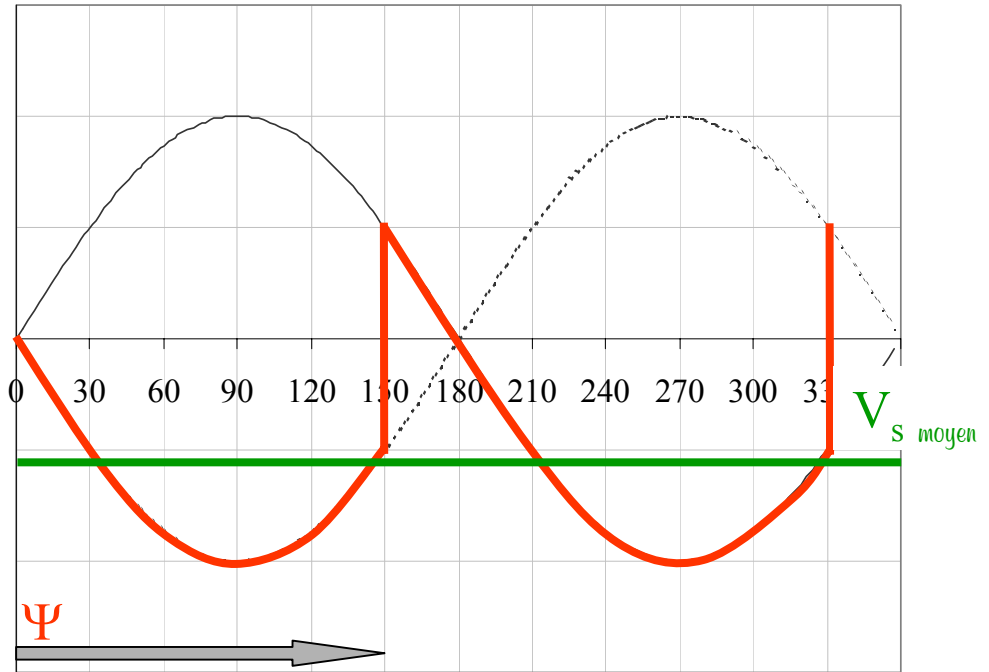
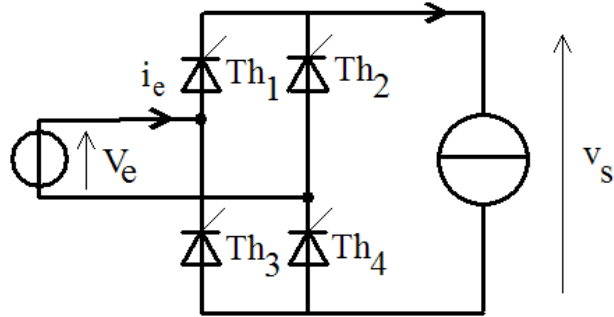
Commande des thyristors



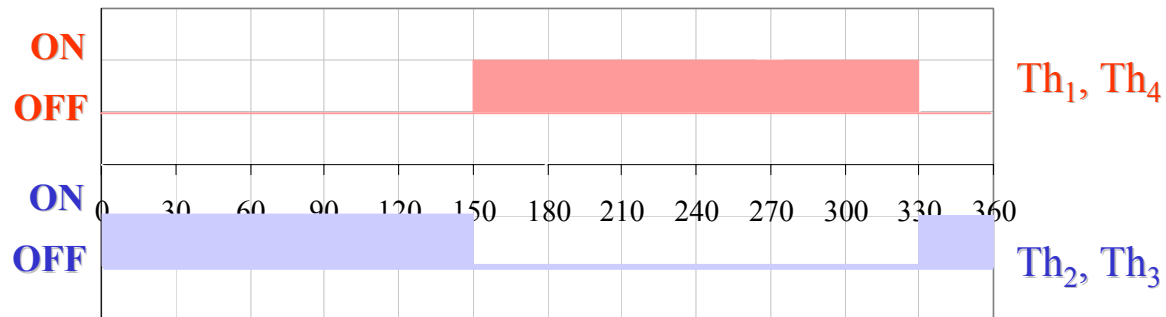
$\Psi = 120^\circ$

Variation de Ψ = Variation de tension moyenne de sortie

Tension de sortie



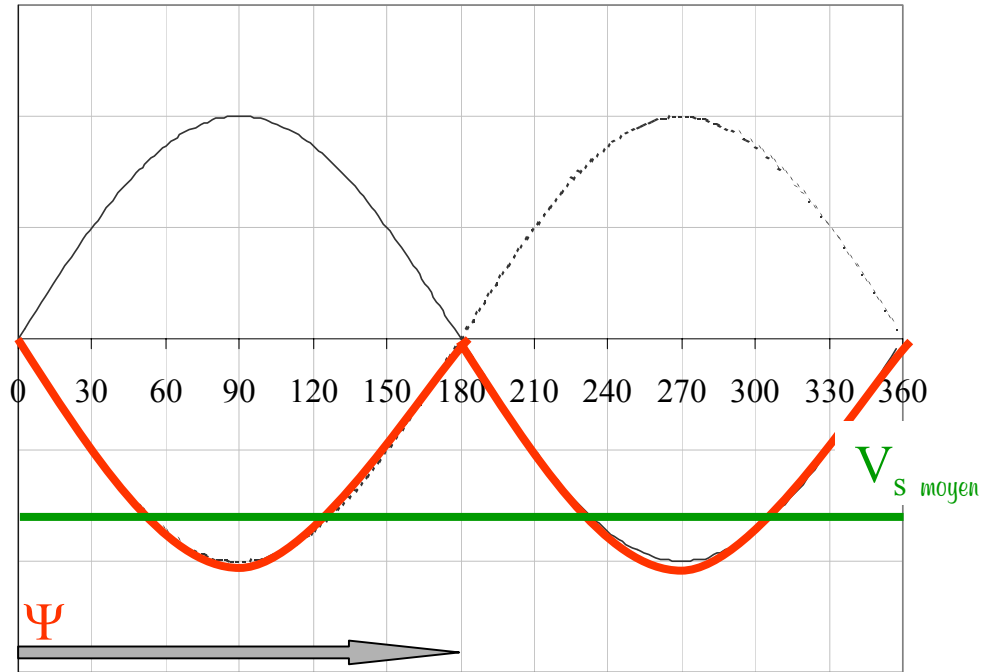
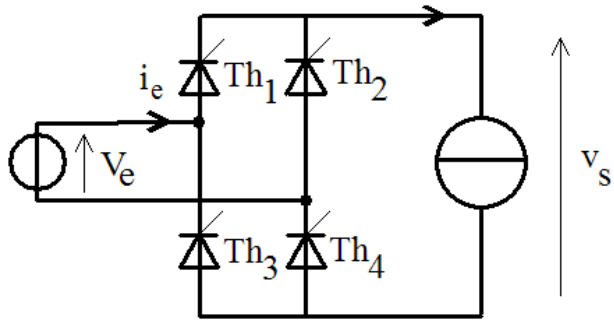
Commande des thyristors



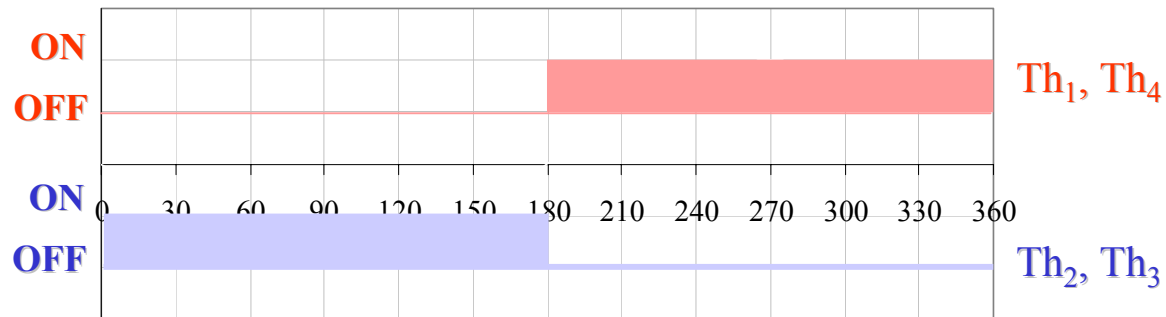
$\Psi = 150^\circ$

Variation de Ψ = Variation de tension moyenne de sortie

Tension de sortie

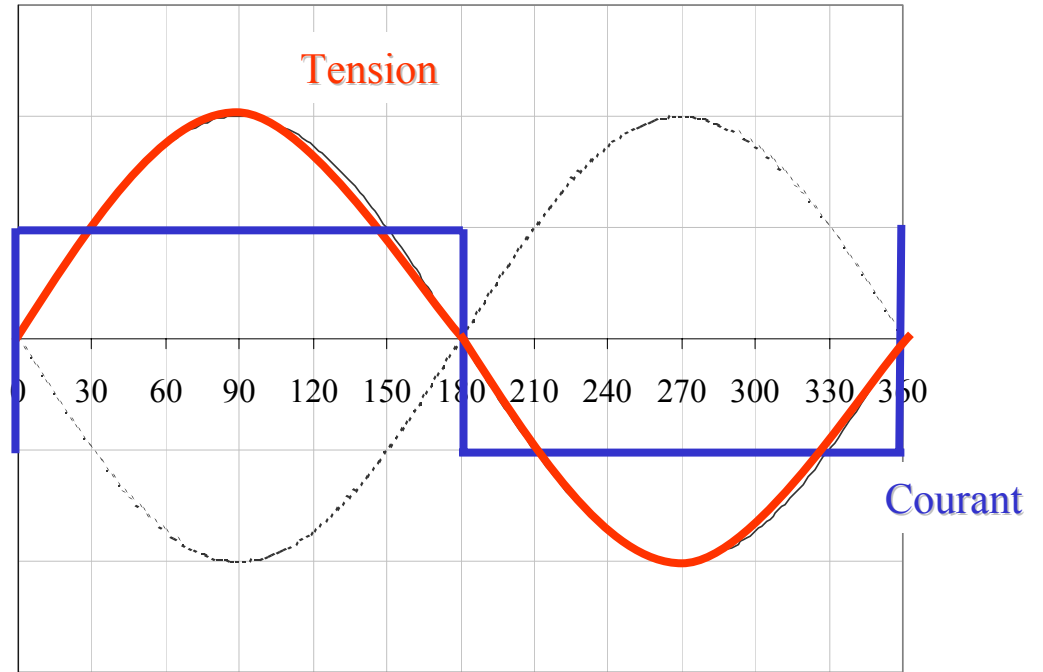
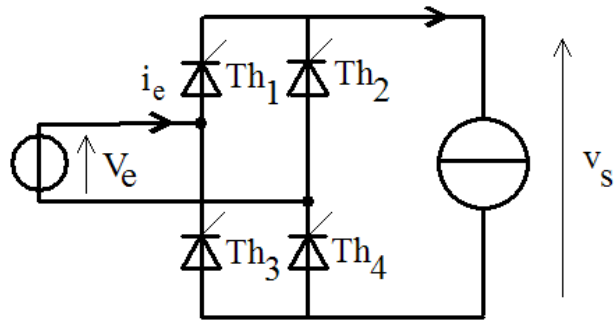


Commande des thyristors



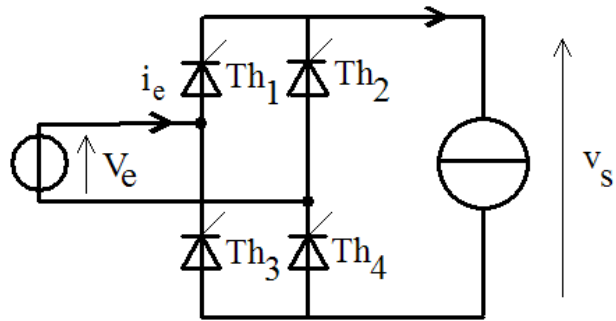
$\Psi = 180^\circ$

Courant et tension côté alternatif

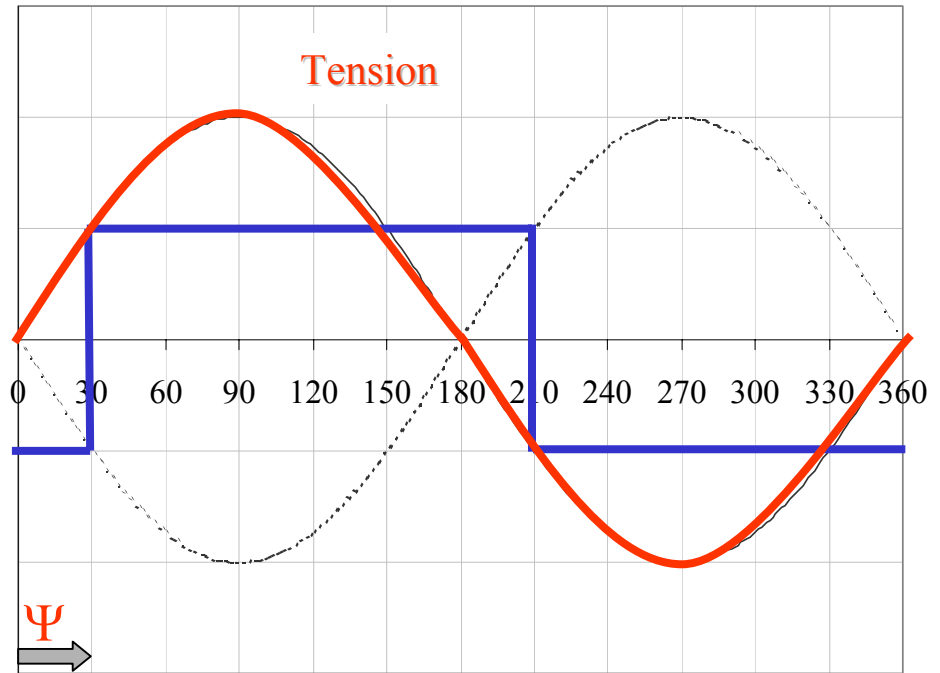


$$\Psi = 0$$

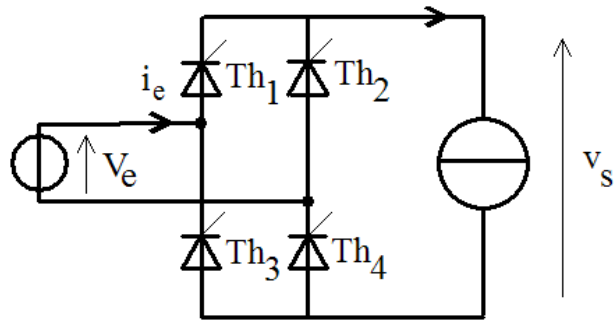
Courant et tension côté alternatif



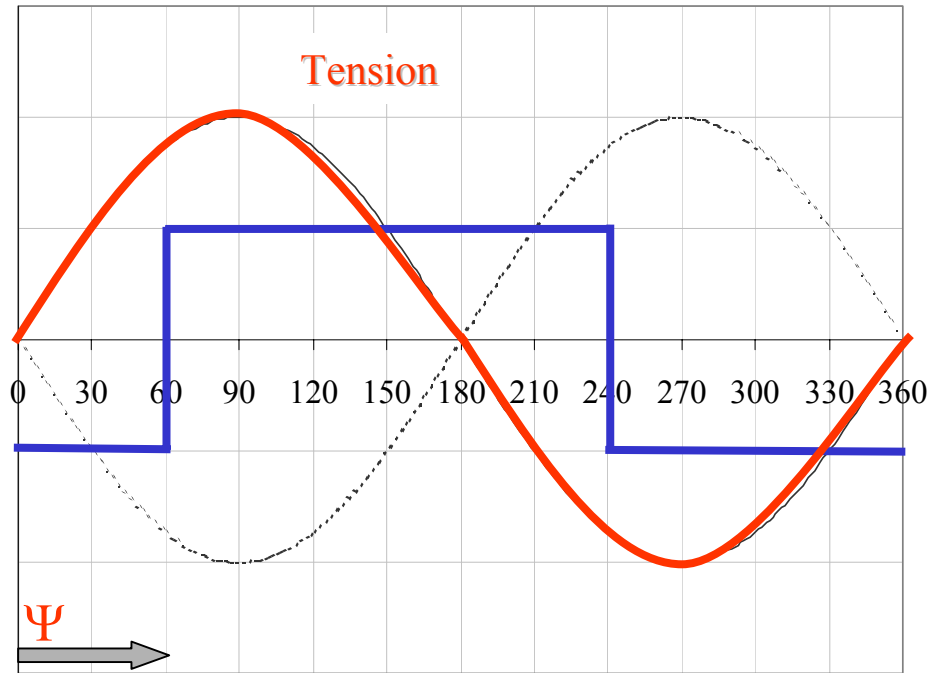
Tension de sortie



Courant et tension côté alternatif

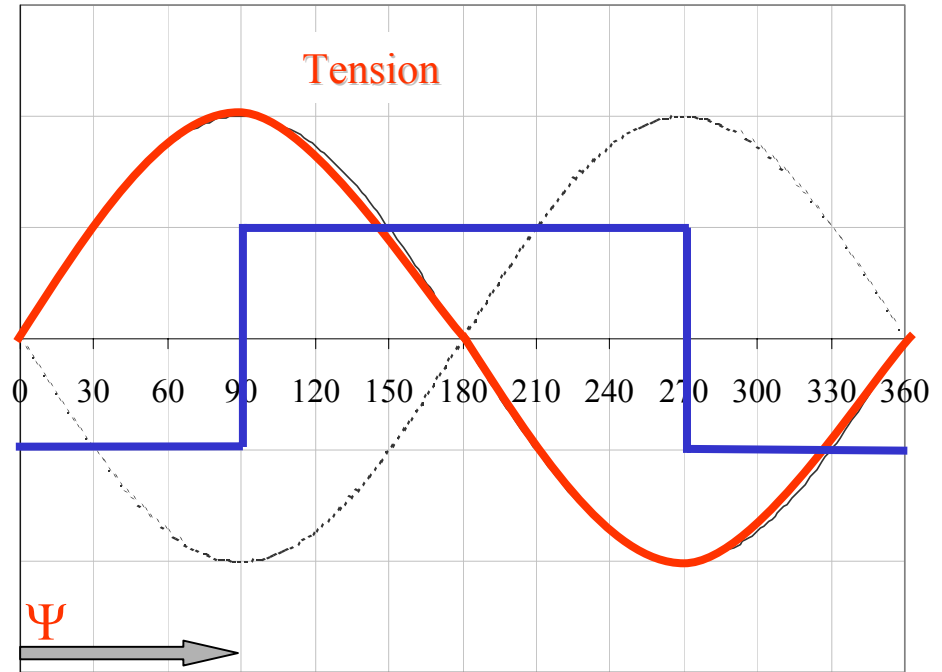
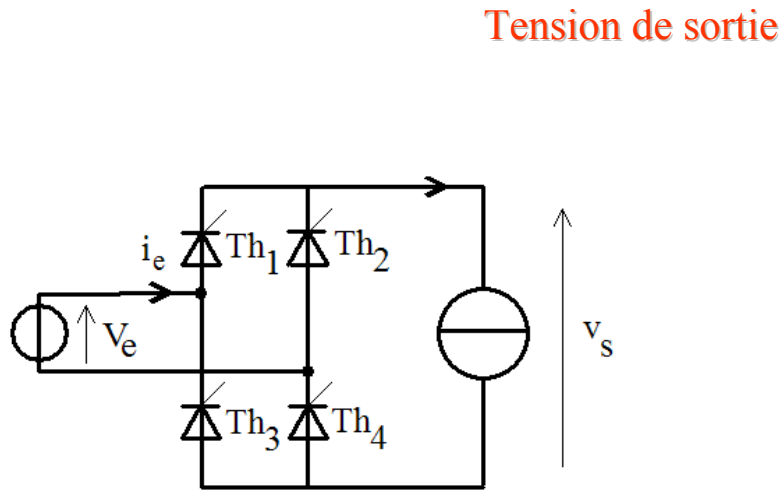


Tension de sortie

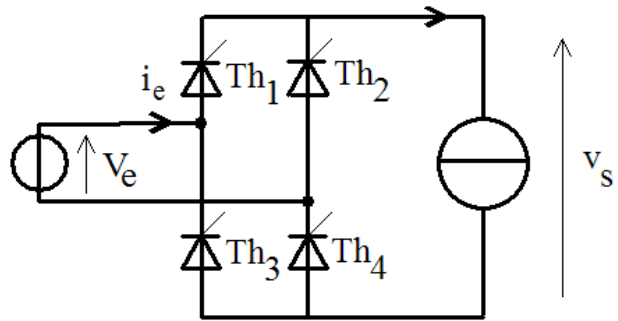


Courant d'entrée

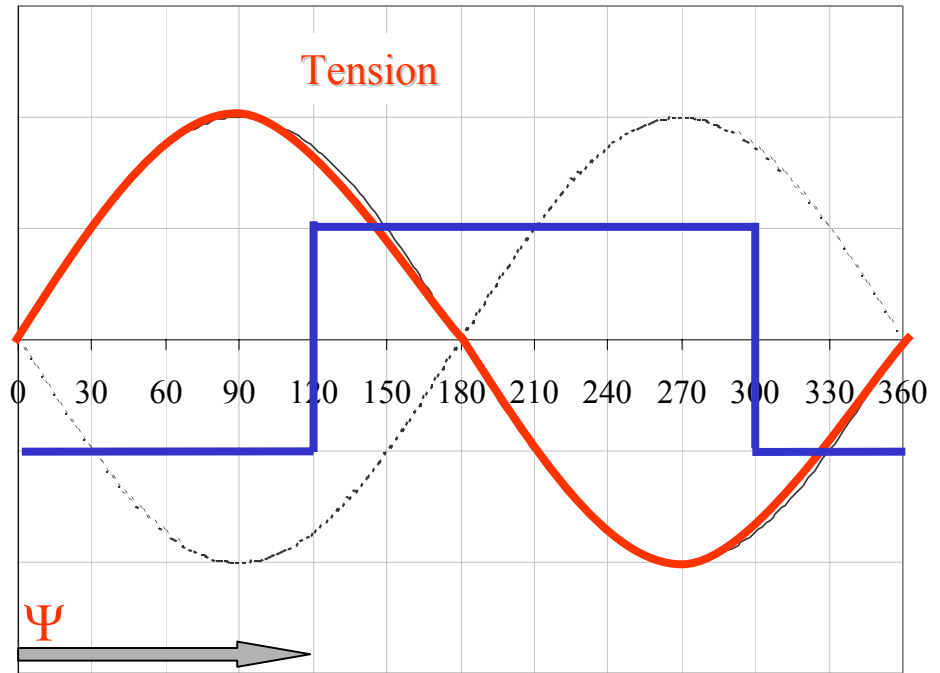
Courant et tension côté alternatif



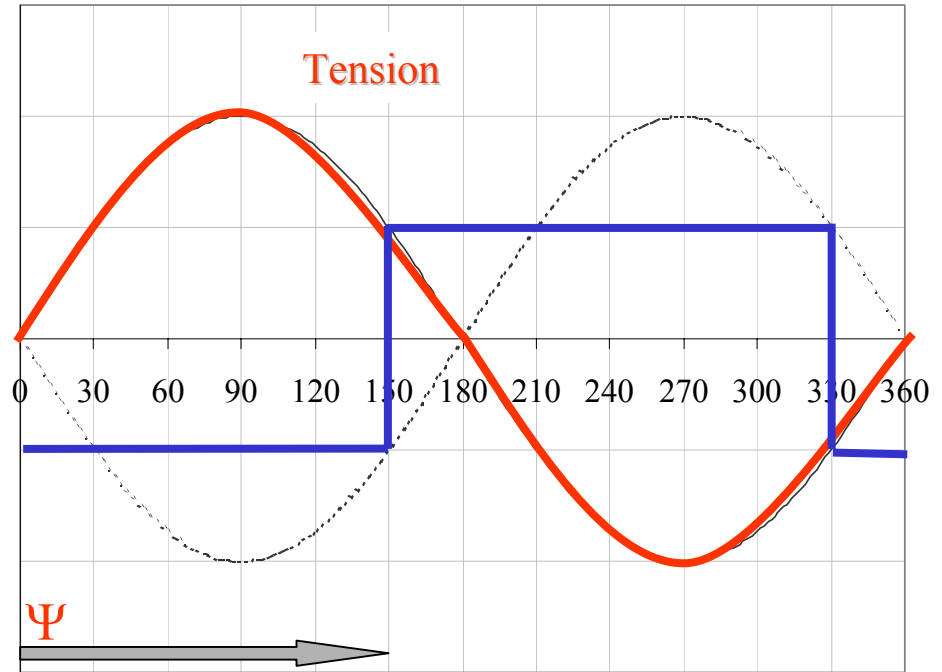
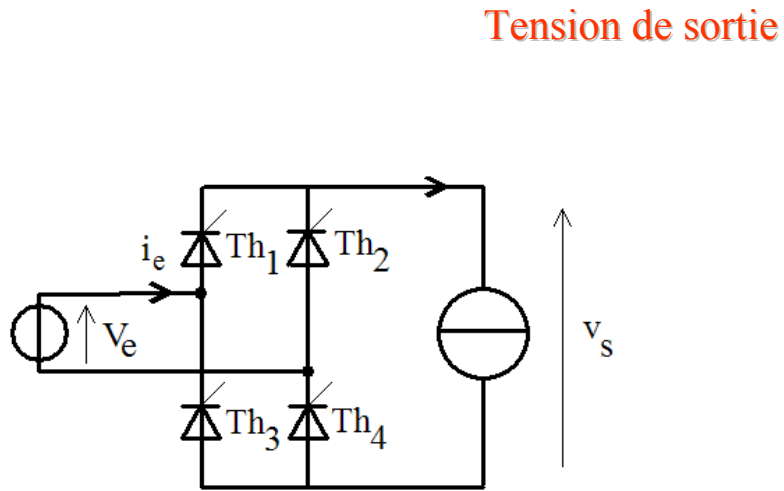
Courant et tension côté alternatif



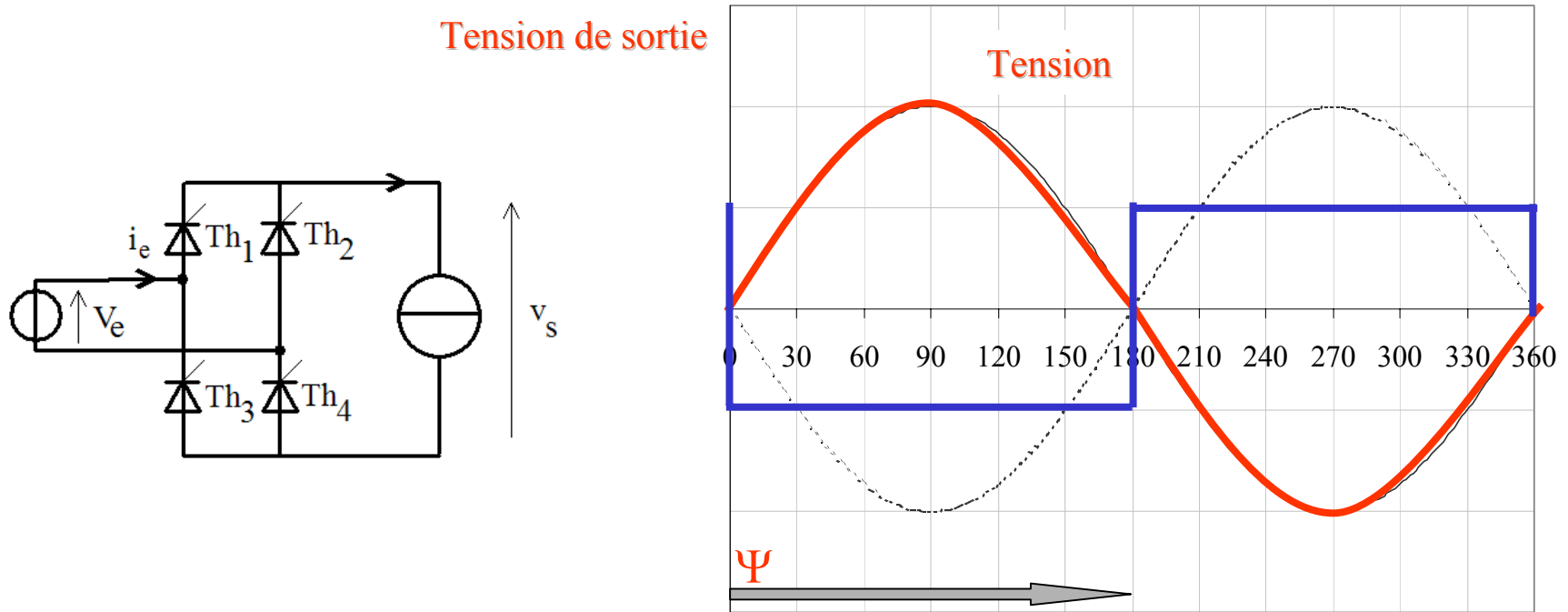
Tension de sortie



Courant et tension côté alternatif

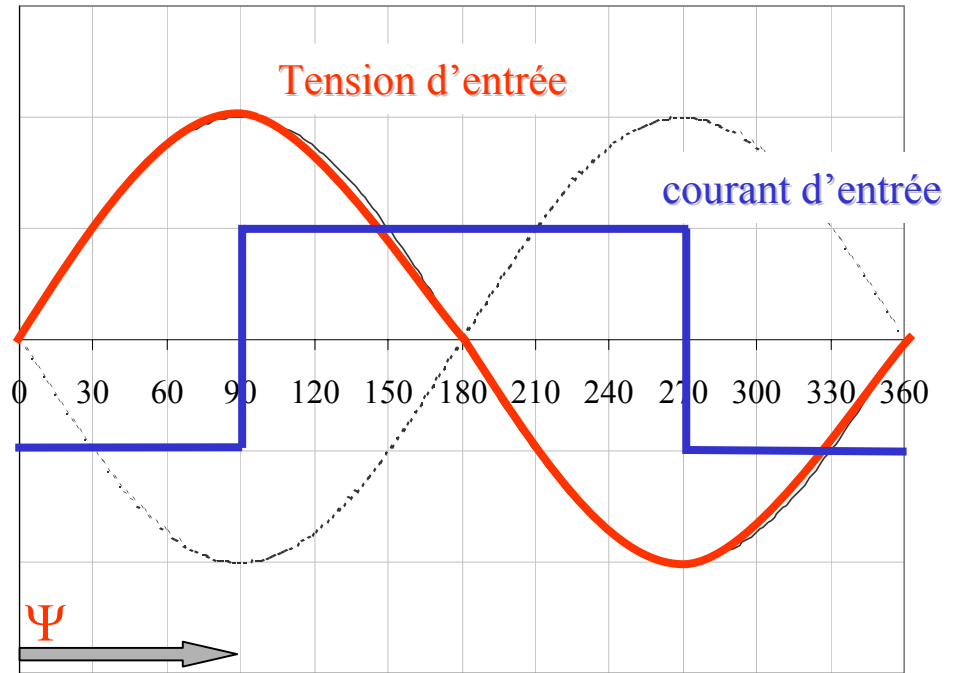
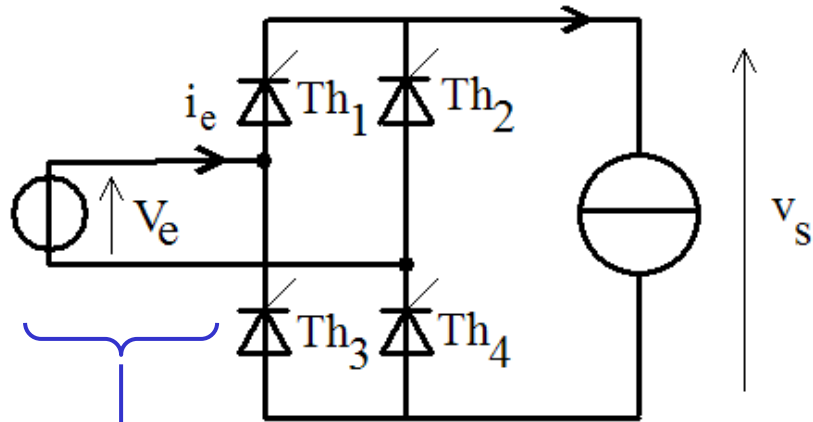


Courant et tension côté alternatif



Puissance active \longrightarrow Transmise uniquement par le fondamental

c. Puissance active côté alternatif



$$v_e(t) = V_e \cdot \sqrt{2} \cdot \sin(\omega t)$$

$$i_e(t) = \frac{4.I}{\pi} \cdot \sin(\omega t - \varphi_1) + \frac{4.I}{3\pi} \cdot \sin(3\omega t - \varphi_3) + \frac{4.I}{5\pi} \cdot \sin(5\omega t - \varphi_5) + \dots$$

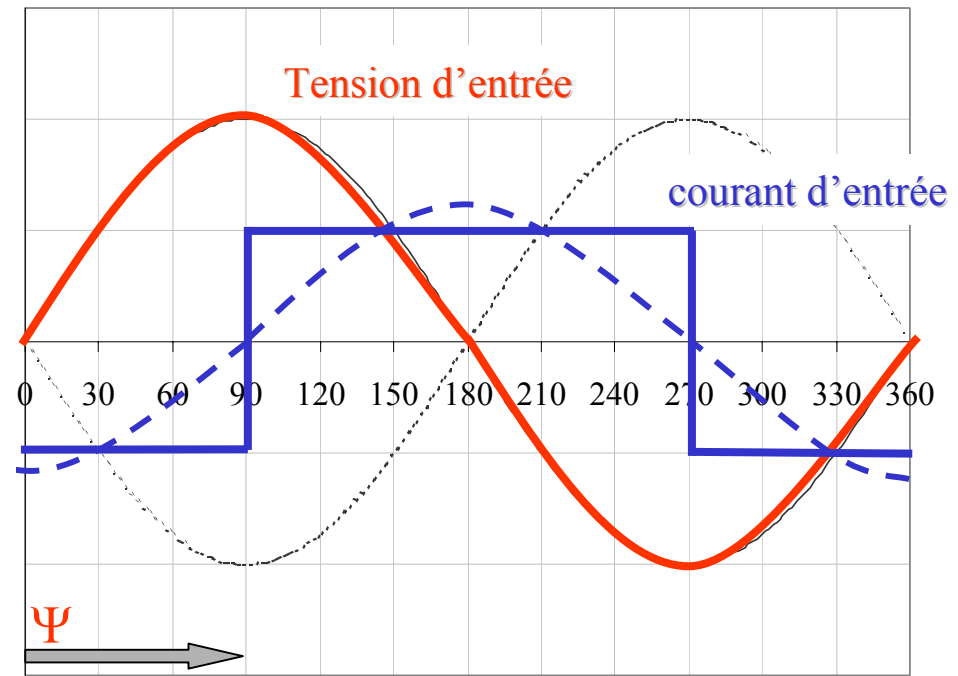
Rappel :

$$P = \frac{1}{T} \cdot \int_0^T v_e(t) \cdot i_e(t) \cdot dt$$

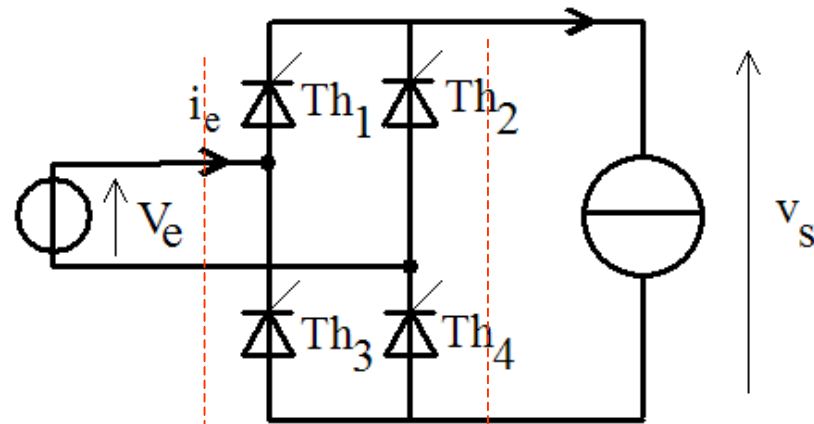
Intégrale nulle
si
 i_e et v_e sont de périodes différentes

Pour le Pont monophasé à thyristors :

$$\left\{ \begin{array}{l} P = V \cdot I_{e1} \cdot \sin(\varphi_1) \\ \varphi_1 = \Psi \\ i_{e1} = \frac{4 \cdot I}{\pi} \end{array} \right.$$



c. Bilan des puissances



Côté alternatif

$$P = \frac{2 \cdot V \cdot \sqrt{2} \cdot I}{\pi} \cdot \cos(\Psi)$$

$$Q = \frac{2 \cdot V \cdot \sqrt{2} \cdot I}{\pi} \cdot \sin(\Psi)$$

$$S = V \cdot I_e = V \cdot I$$

Côté continu

$$P = V_{S \text{ moyen}} \cdot I = \frac{2 \cdot V \cdot \sqrt{2} \cdot I}{\pi} \cdot \cos(\Psi)$$

Théorème de BOUCHEROT en régime non sinusoïdal :

$$S^2 \neq P^2 + Q^2$$

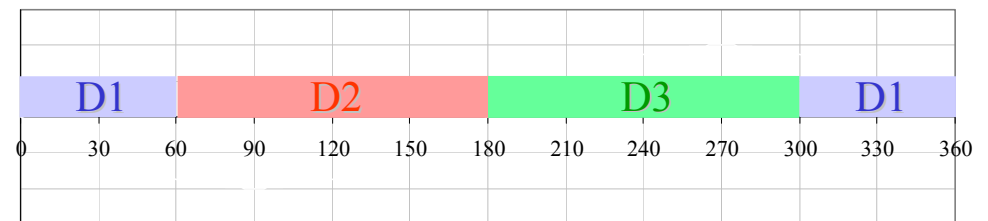
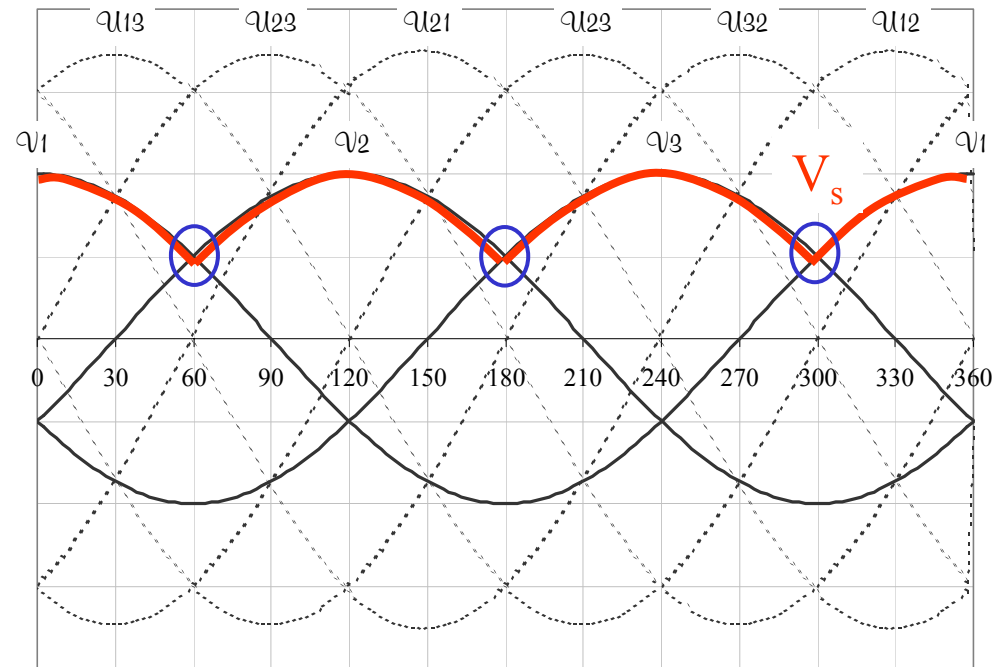
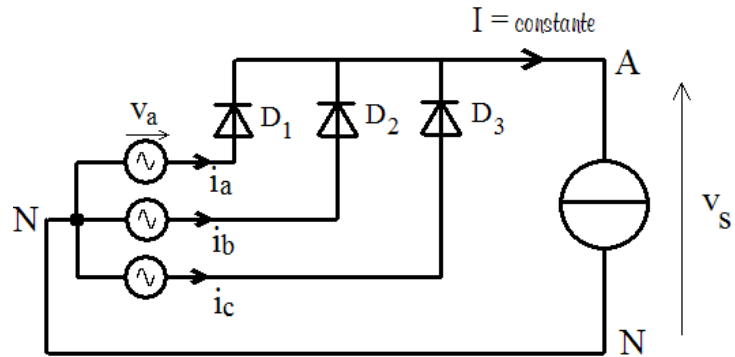
→ Ajout d'une autre puissance **La puissance déformante**

$$S^2 = P^2 + Q^2 + \textcircled{D}^2$$

en [VAD]

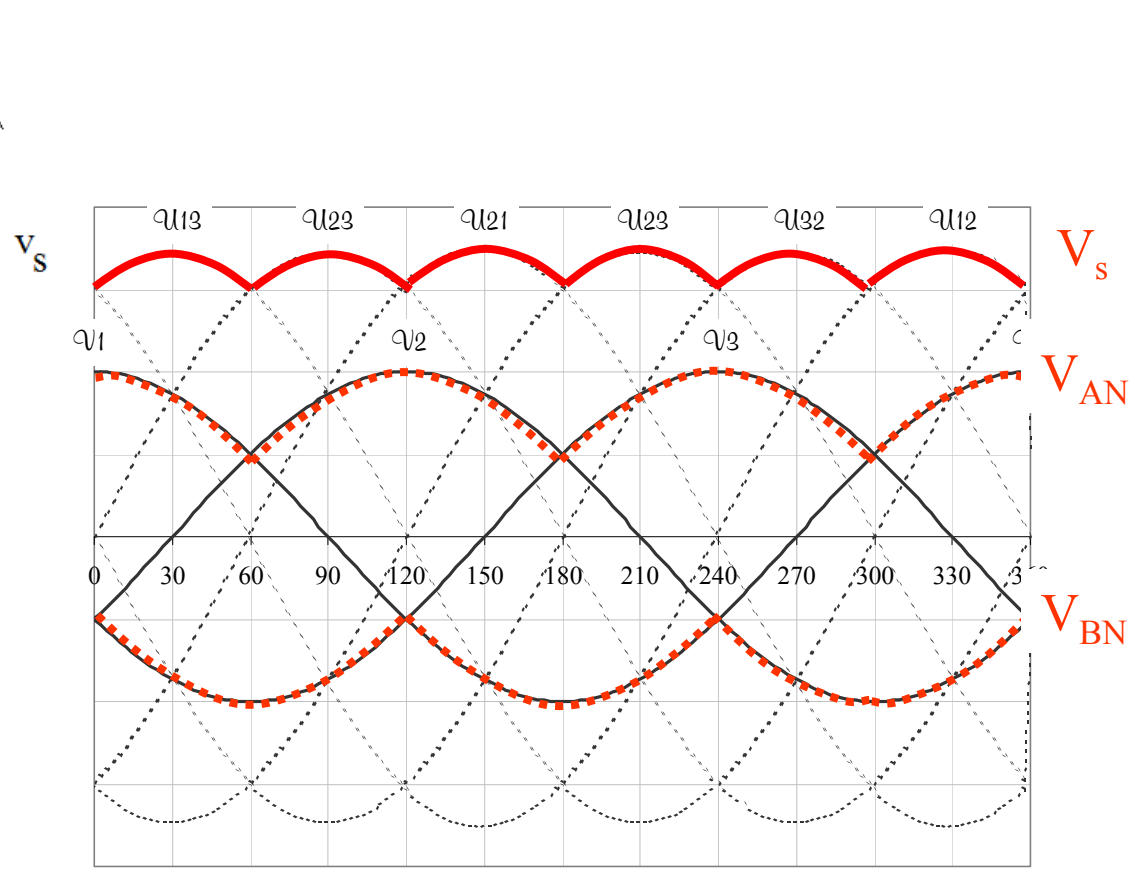
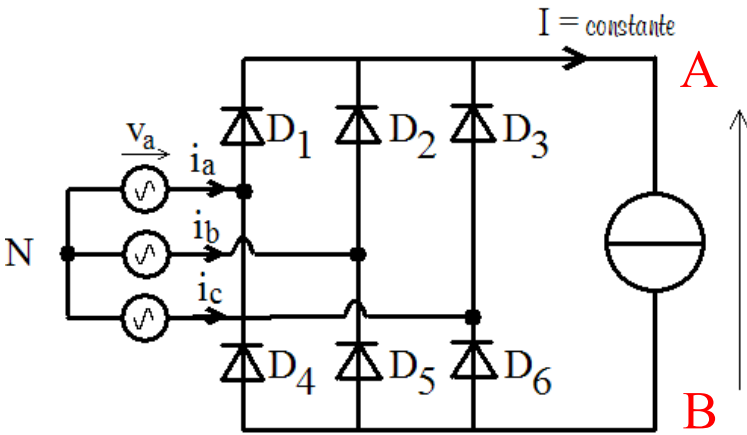
II.3 Redressement triphasé non commandé

a. Pont simple (P3) à cathodes communes

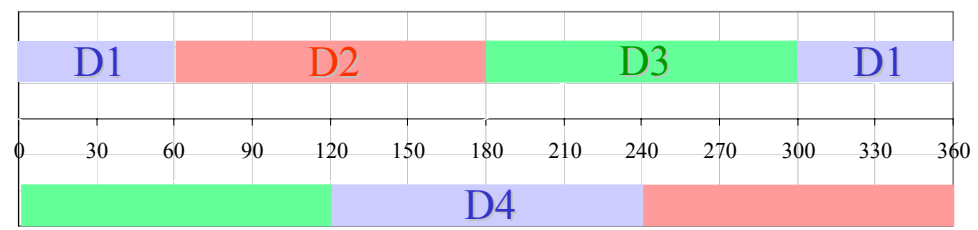


$$V_{s \text{ moyen}} = \frac{3 \cdot \sqrt{3} \cdot V_{\text{max}}}{2\pi}$$

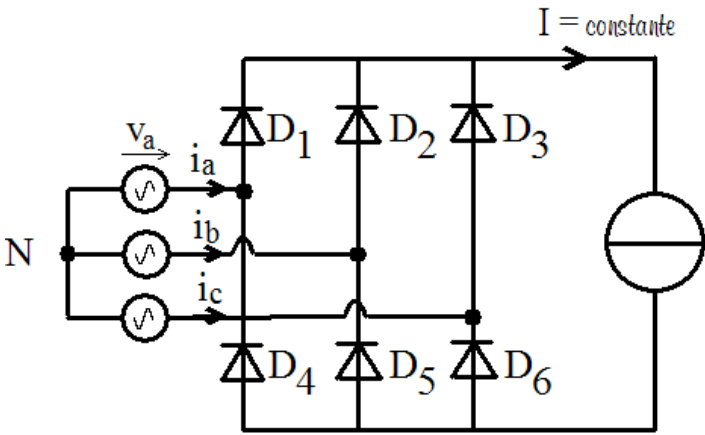
b. Pont double (PD3)



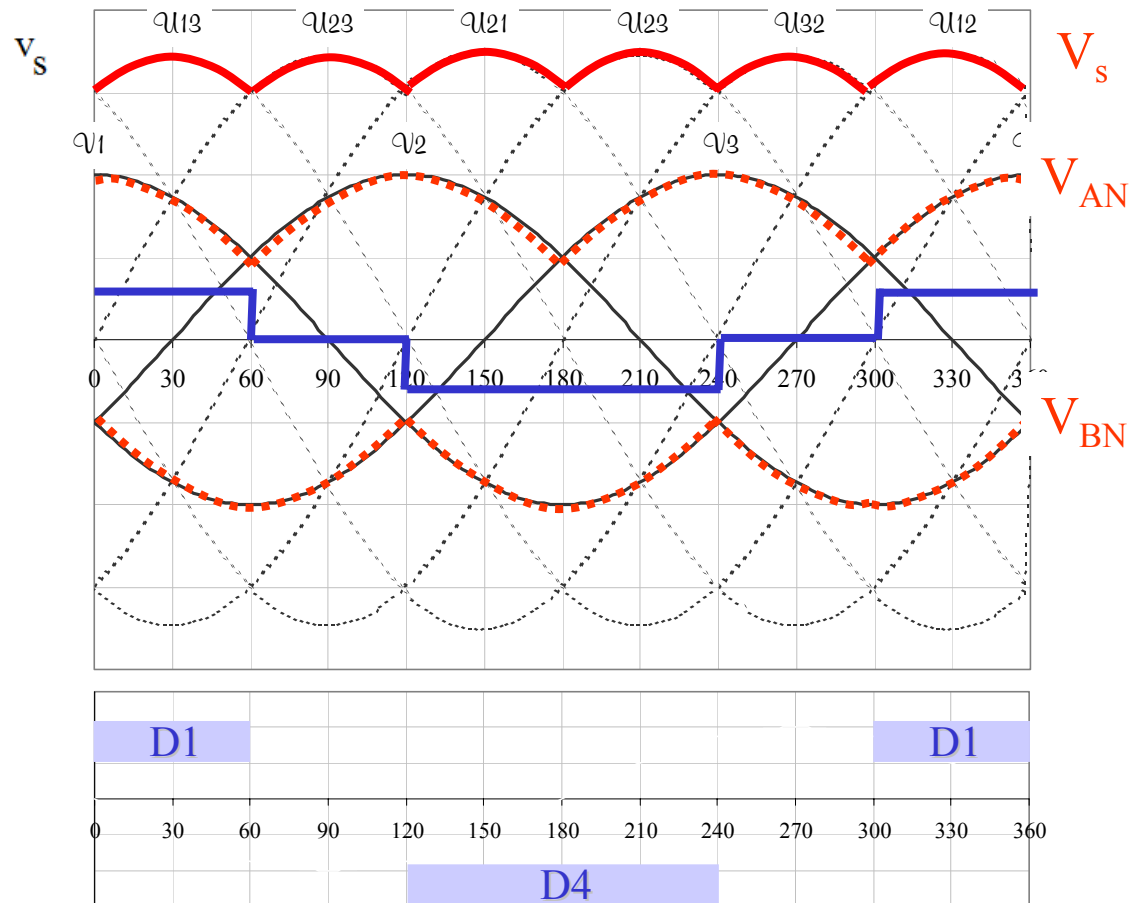
$$V_{s \text{ moyen}} = \frac{3 \cdot \sqrt{3} \cdot V_{\text{max}}}{\pi}$$



b. Pont double (PD3)



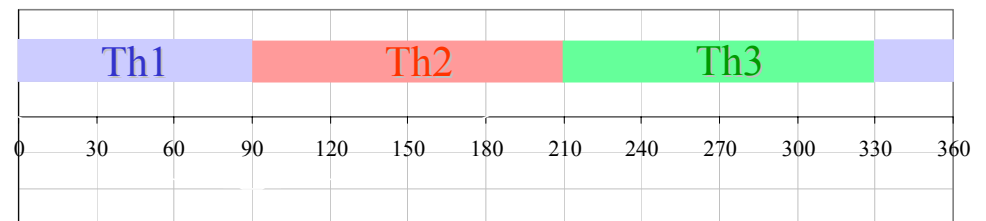
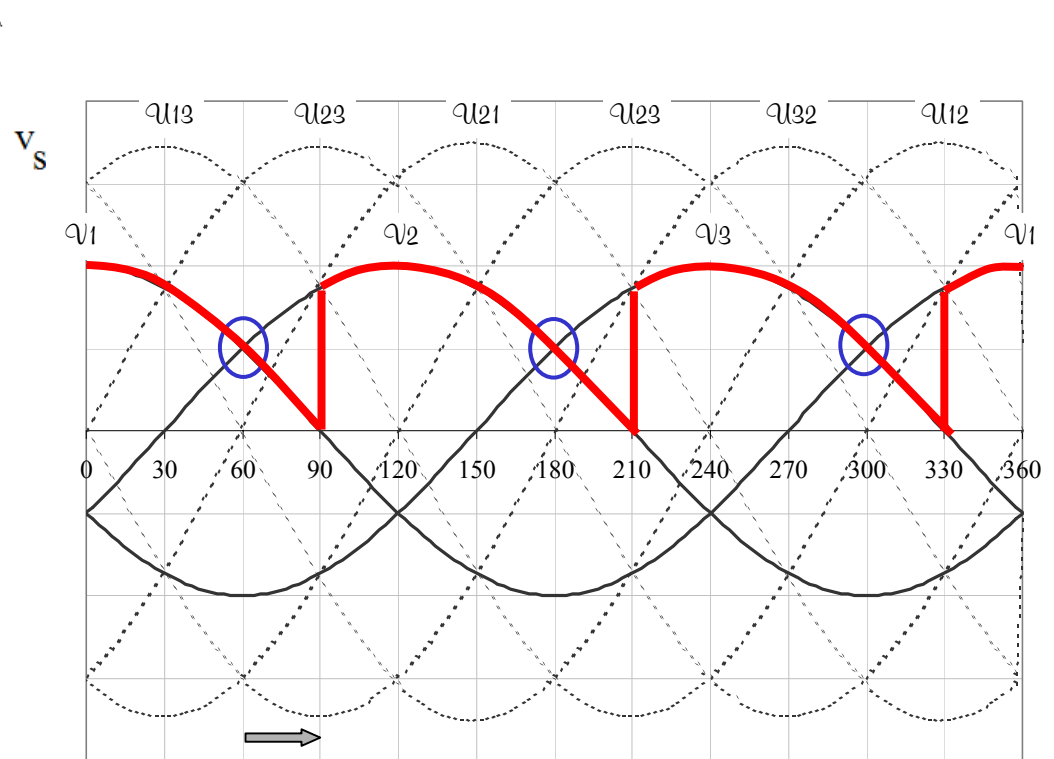
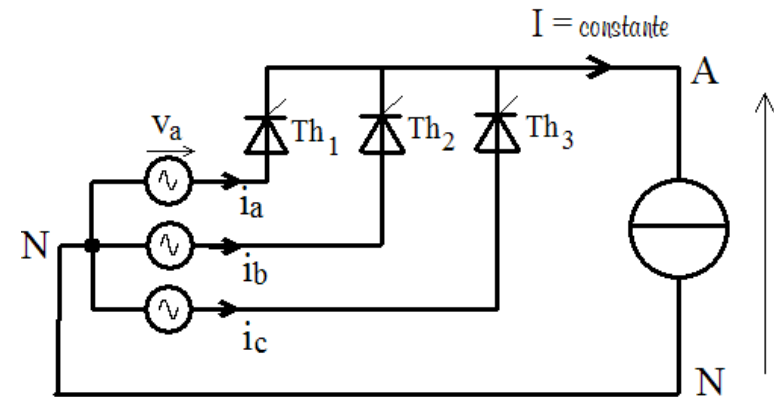
Courant de ligne



$$V_{s \text{ moyen}} = \frac{3 \cdot \sqrt{3} \cdot V_{\text{max}}}{\pi}$$

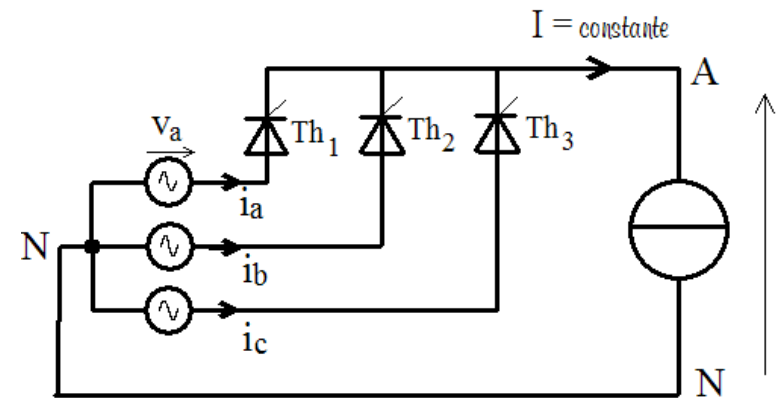
II.4 Redressement triphasé commandé

a. Pont simple (P3)

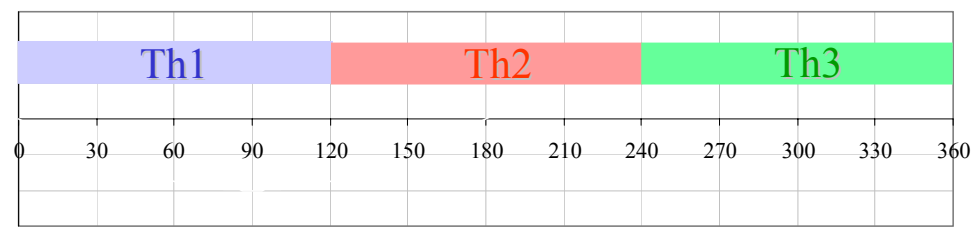
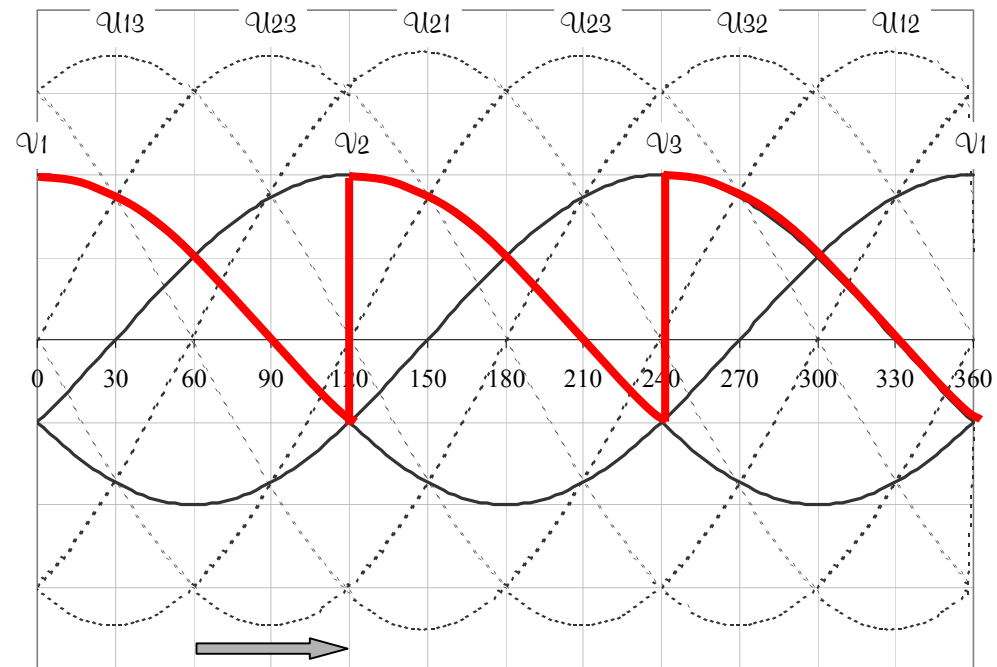


$\Psi = 30^\circ$

a. Pont simple (P3)

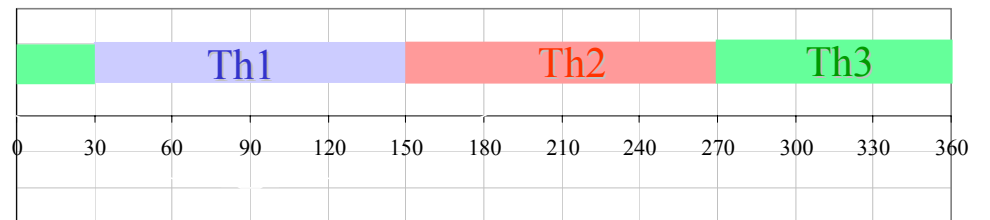
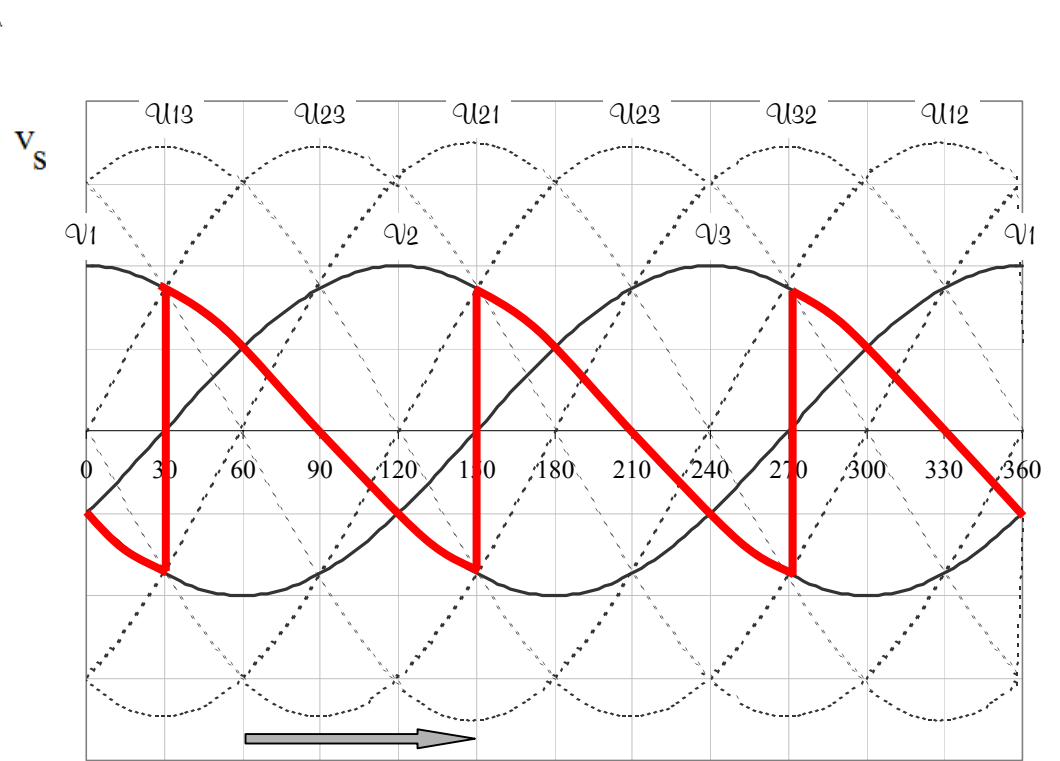
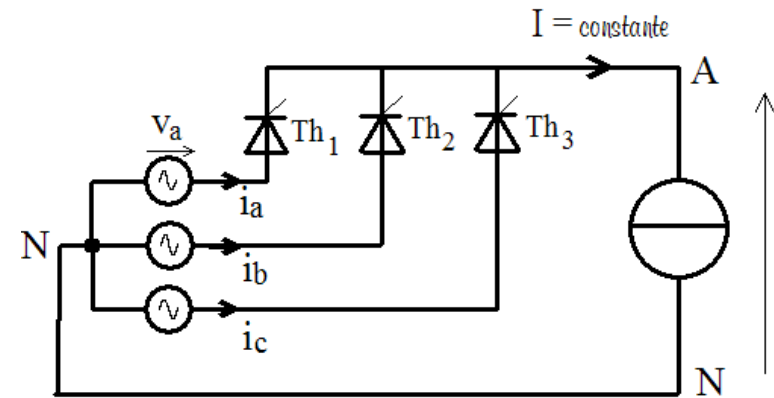


v_s



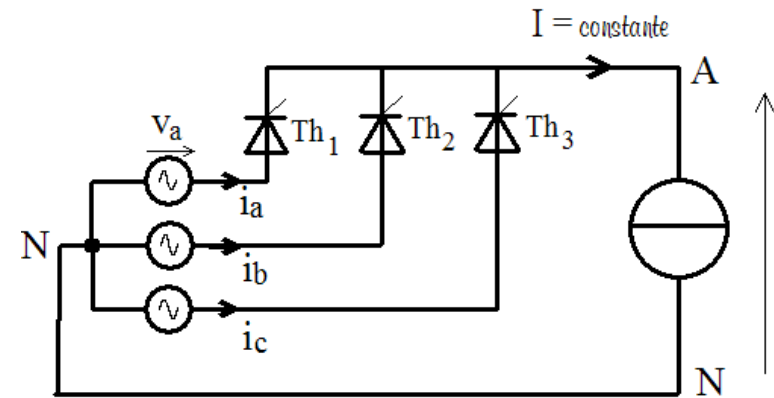
$\Psi = 60^\circ$

a. Pont simple (P3)

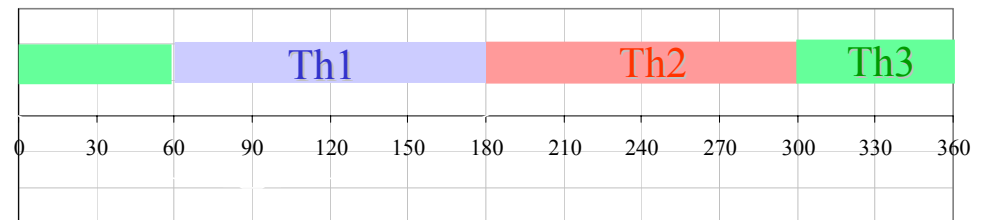
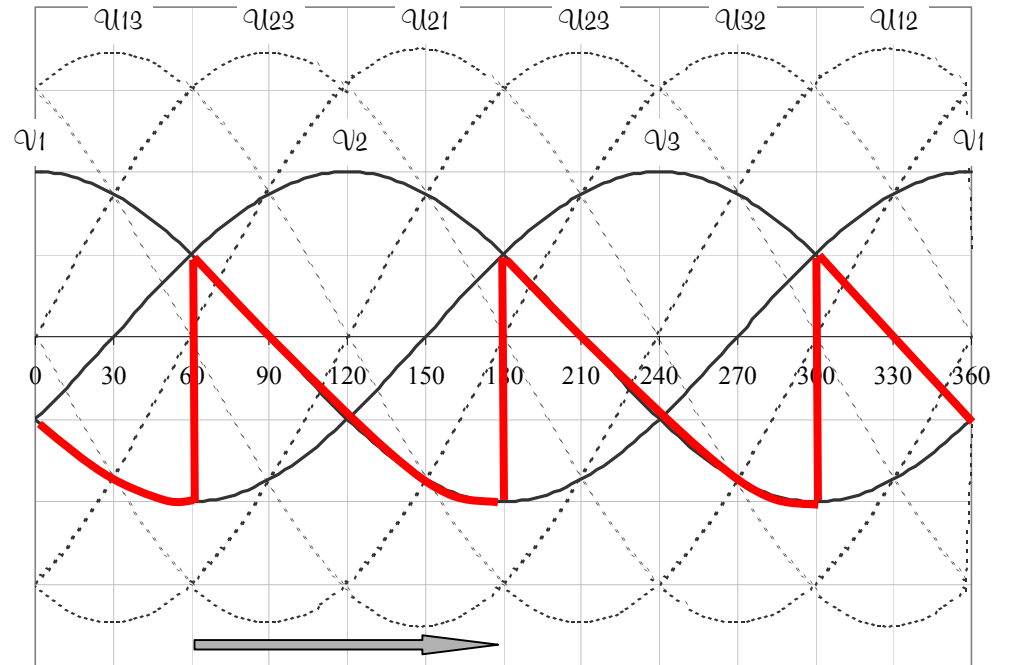


$\Psi = 90^\circ$

a. Pont simple (P3)

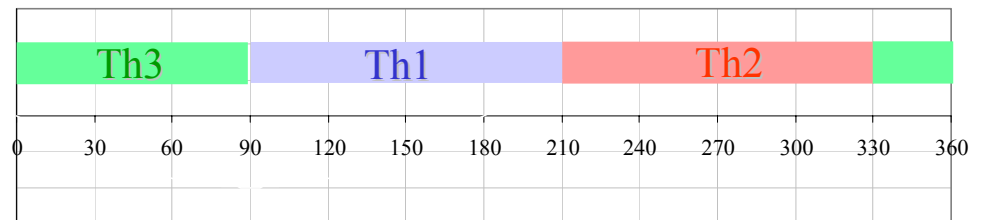
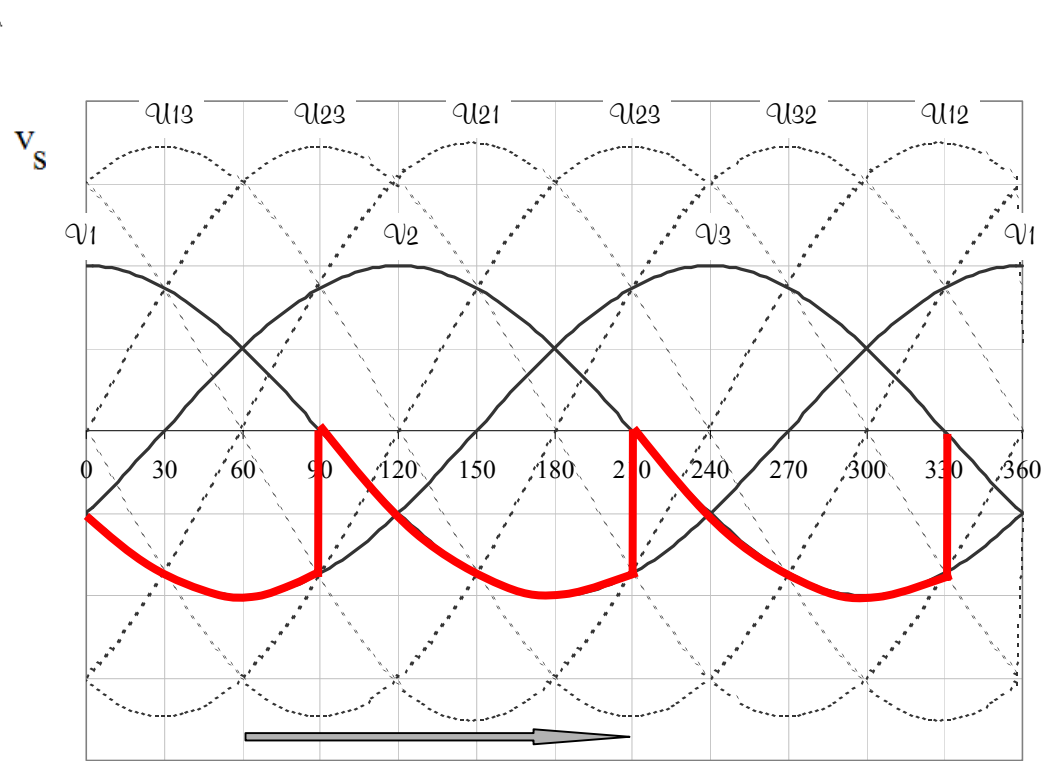
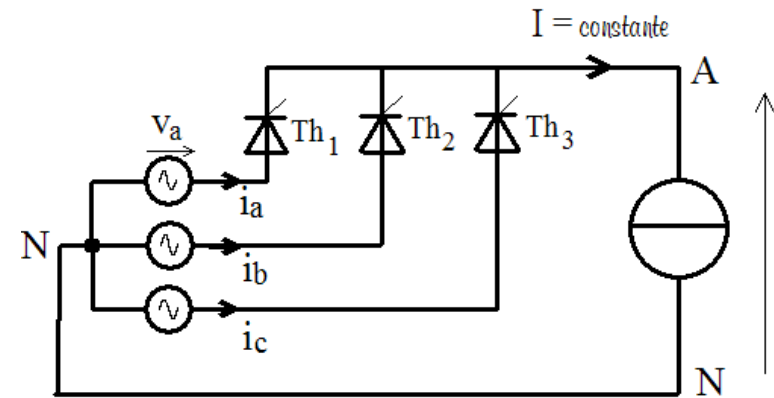


v_s



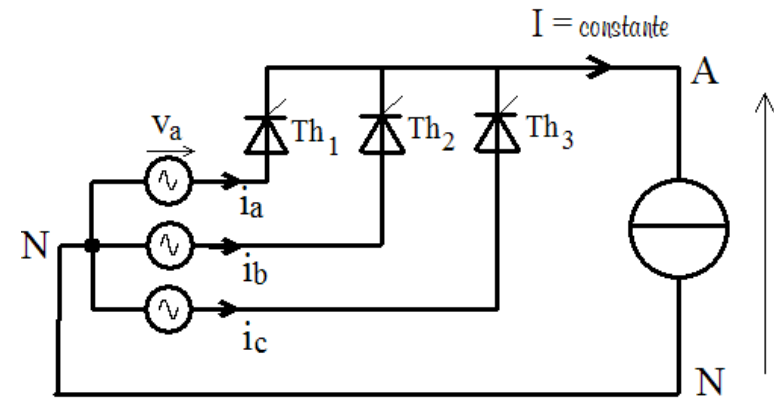
$\Psi = 120^\circ$

a. Pont simple (P3)

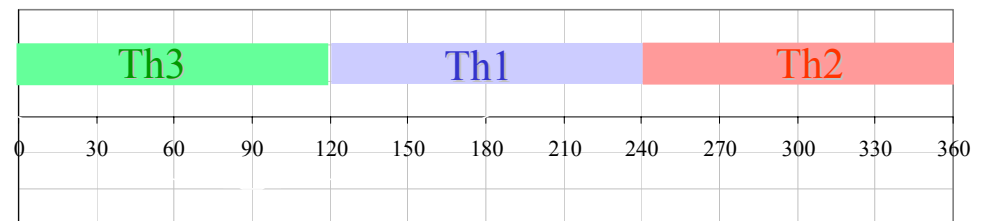
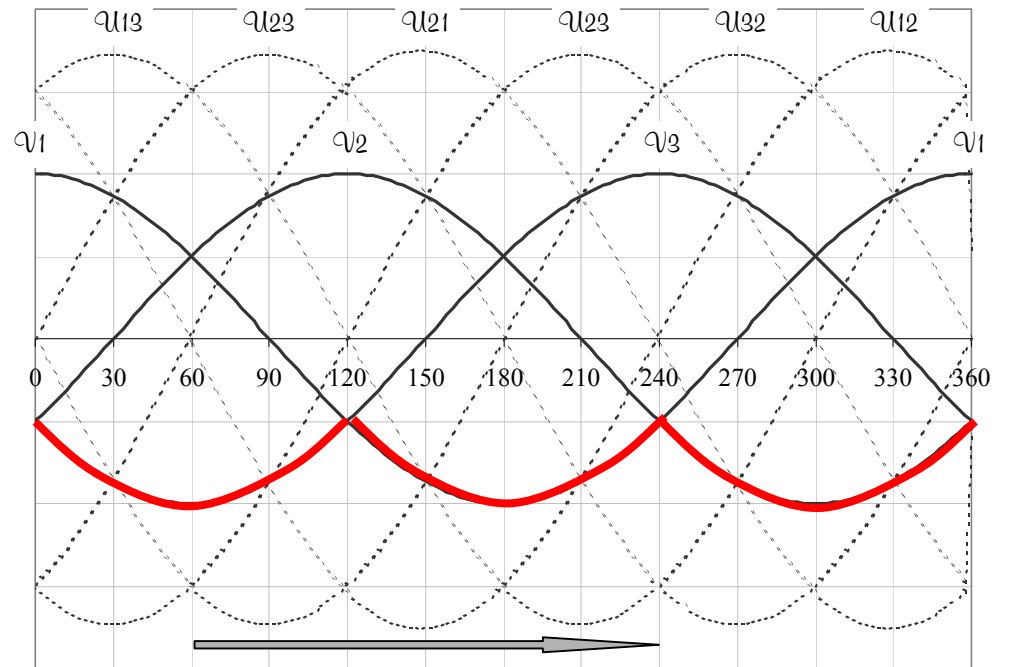


$\Psi = 150^\circ$

a. Pont simple (P3)

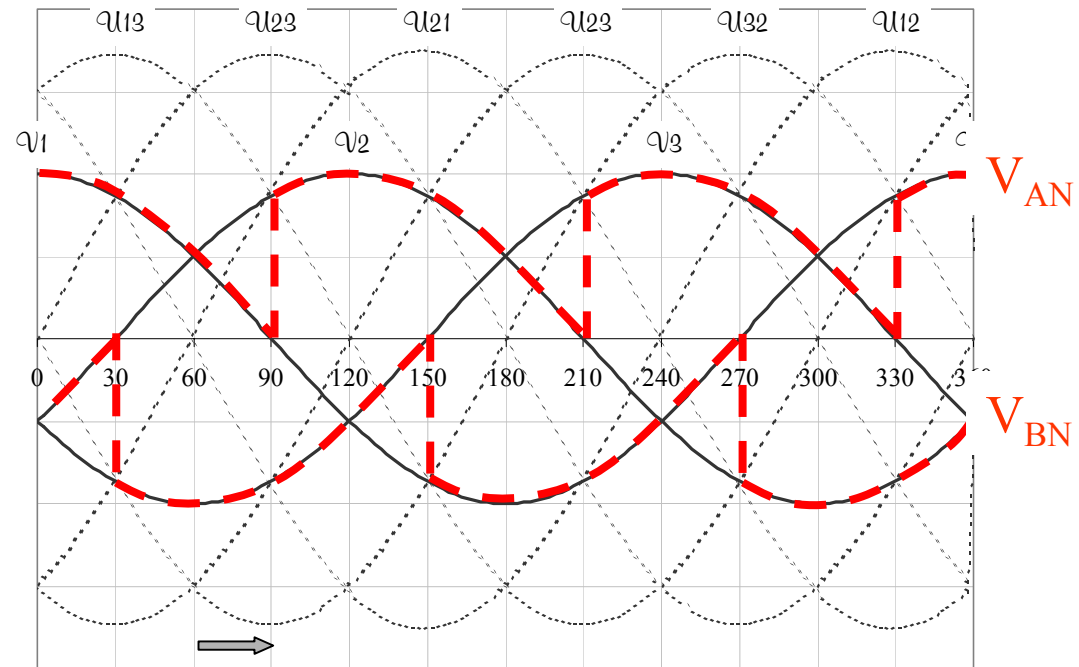
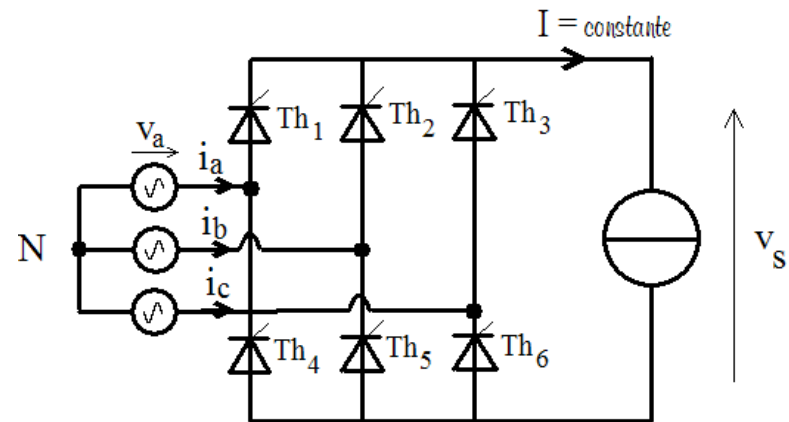


v_s



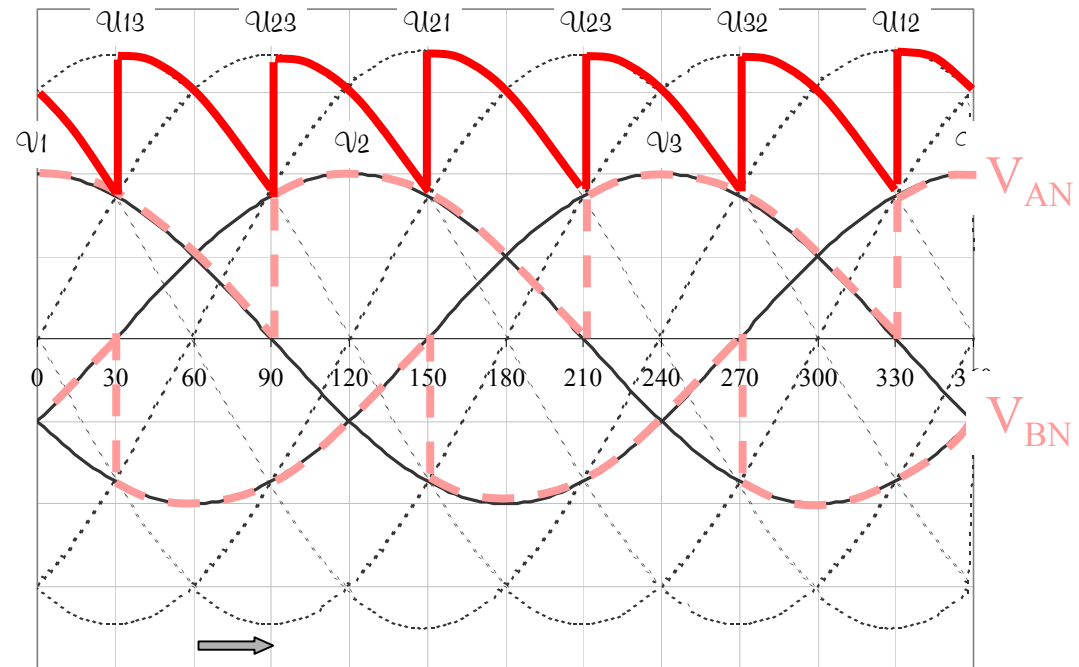
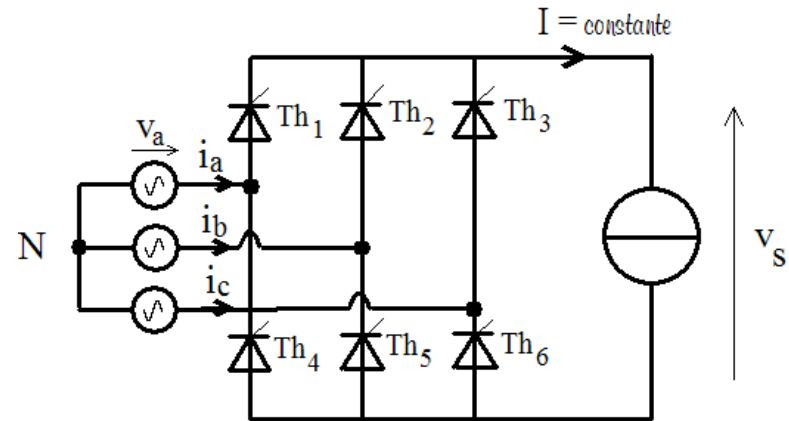
$\Psi = 180^\circ$

b. Pont double (PD3)



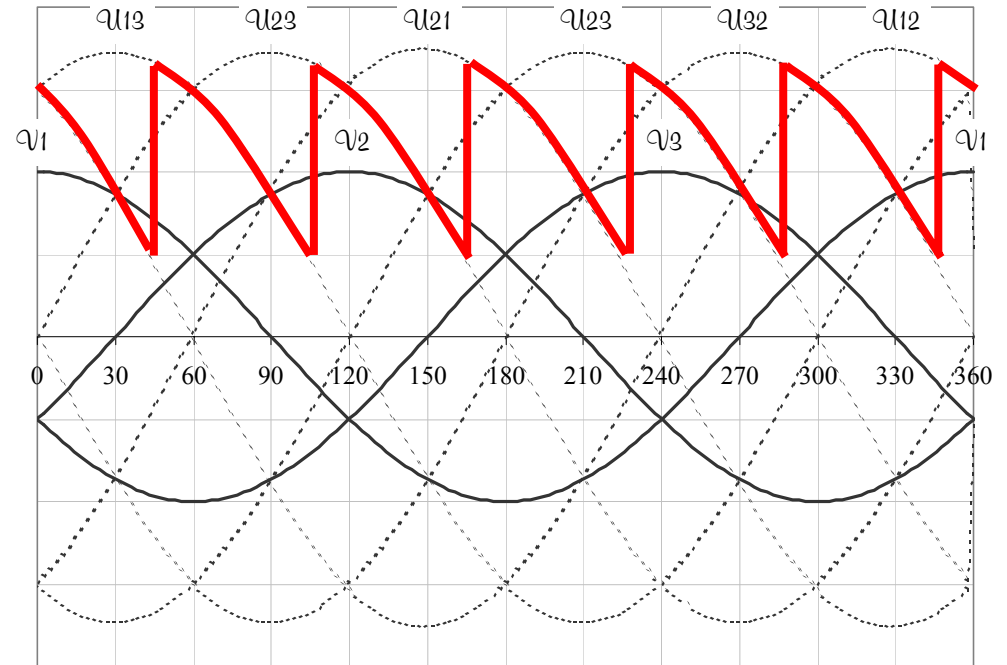
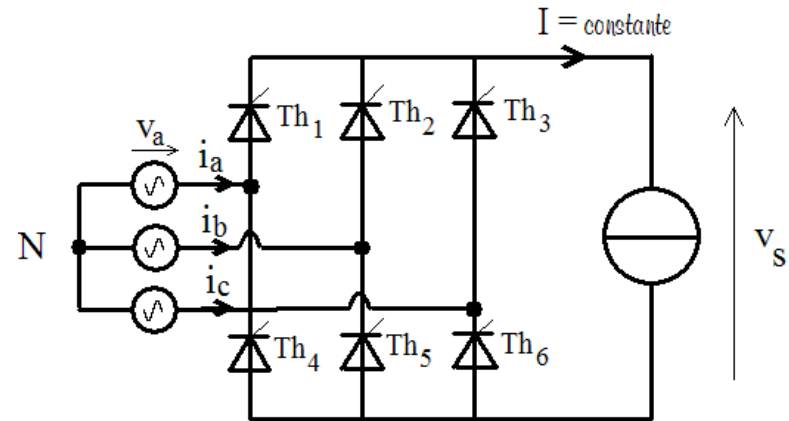
$\Psi = 30^\circ$

b. Pont double (PD3)



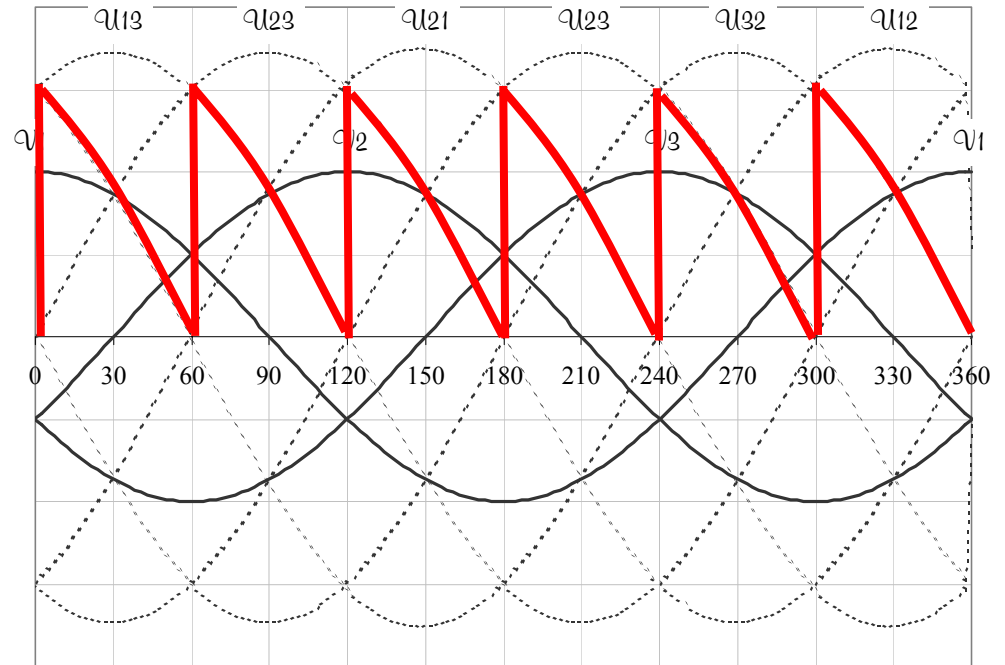
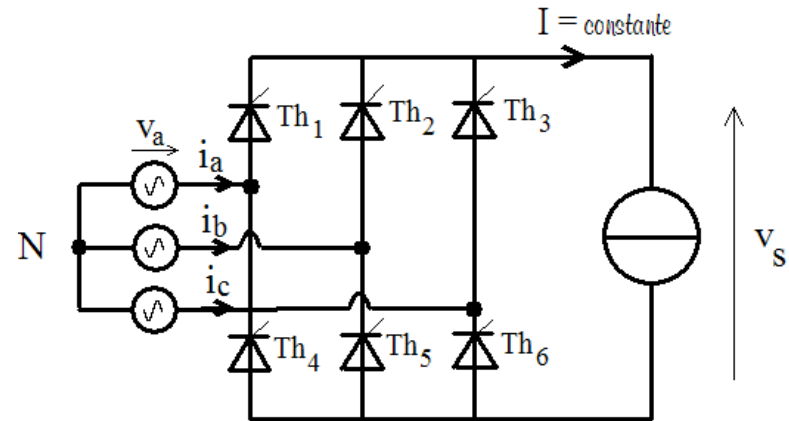
$\Psi = 30^\circ$

b. Pont double (PD3)



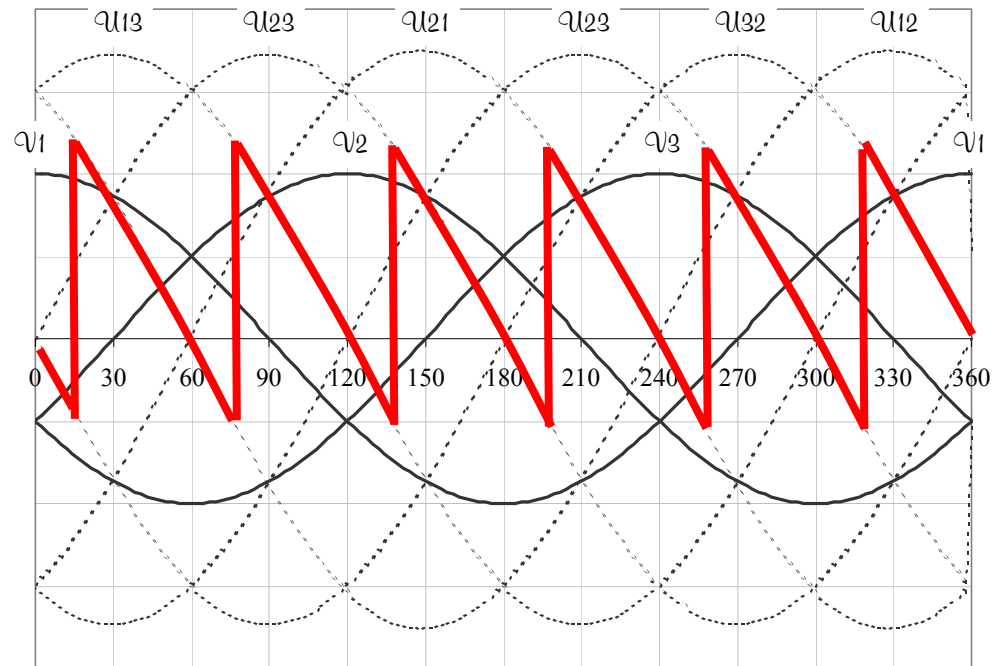
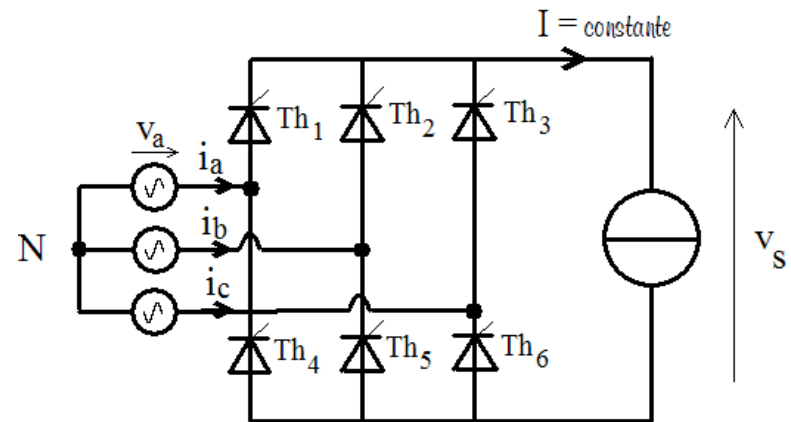
$\Psi = 45^\circ$

b. Pont double (PD3)



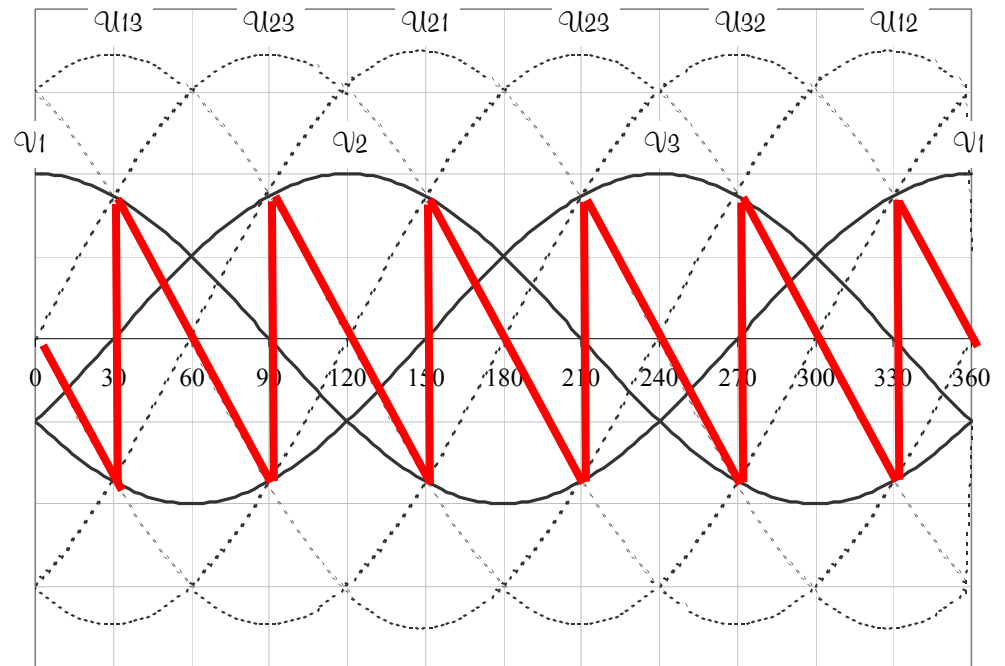
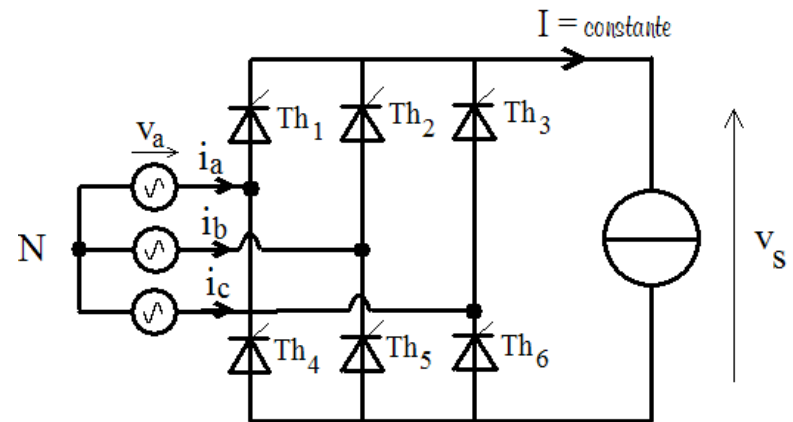
$\Psi = 60^\circ$

b. Pont double (PD3)



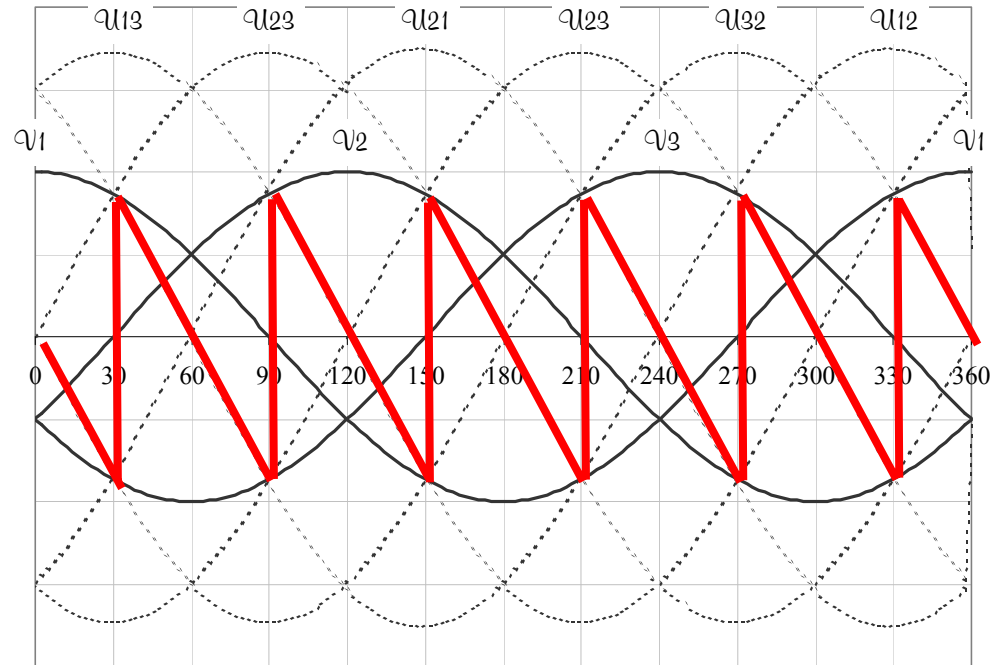
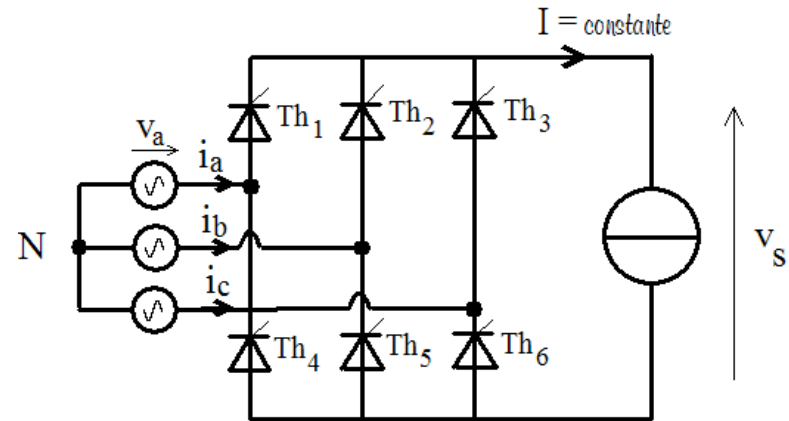
$\Psi = 75^\circ$

b. Pont double (PD3)



$\Psi = 90^\circ$

b. Pont double (PD3)

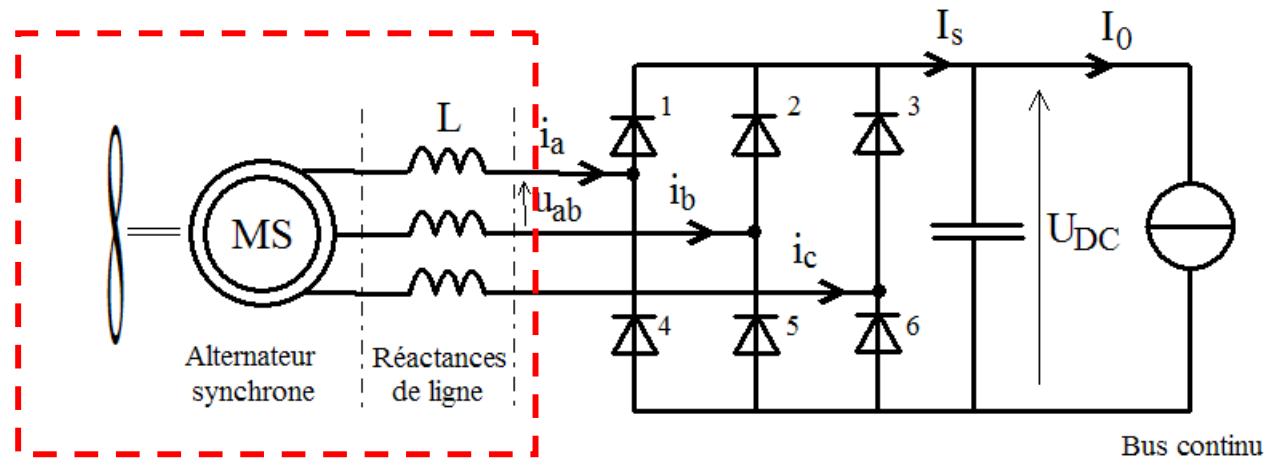


$$V_{s \text{ moyen}} = \frac{3 \cdot \sqrt{3} \cdot V_{\text{max}}}{\pi} \cdot \cos(\Psi)$$

II.5 Fonctionnement en redresseur de courant

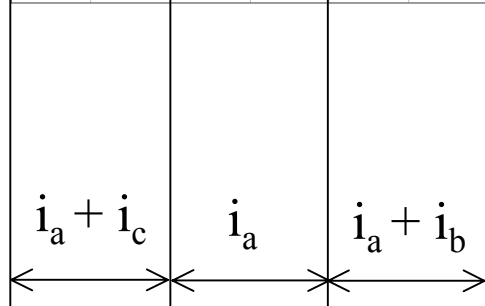
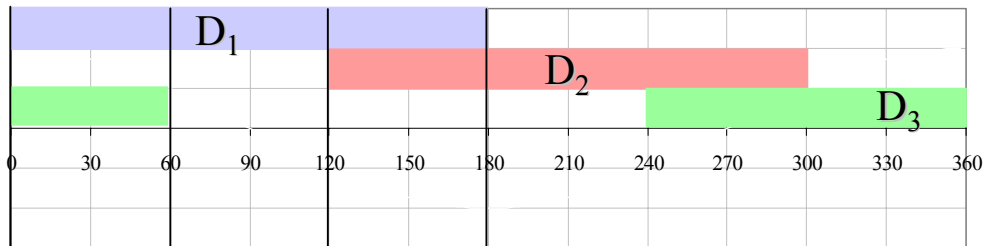
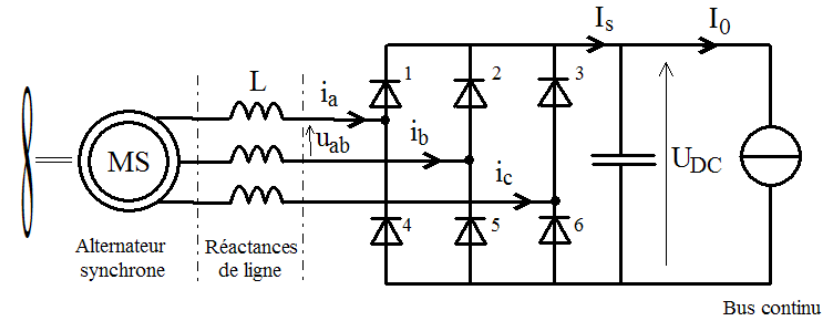
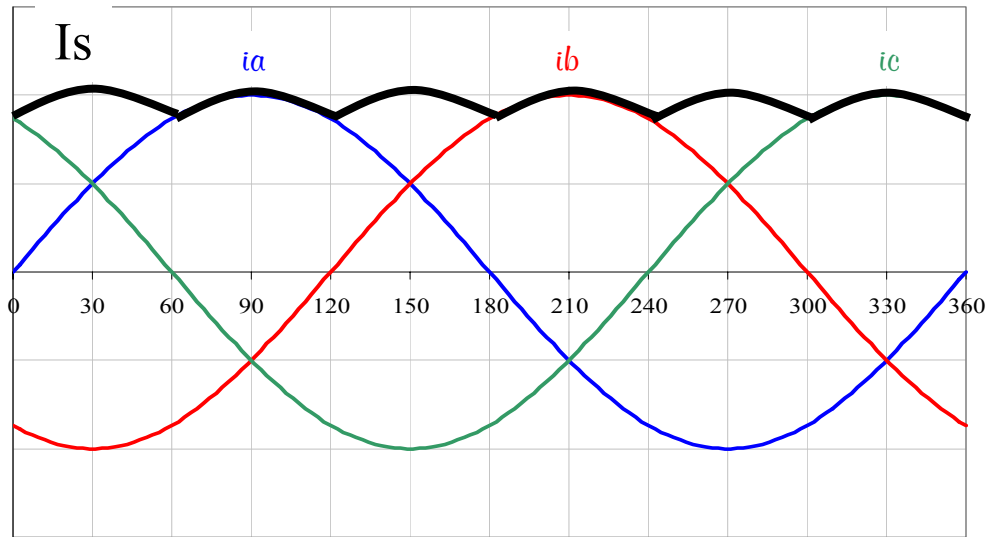
➔ Redresseur alimenté par une source de courant

Exemple d'application : production éolienne de petite puissance



Source triphasée de courants

II.5 Fonctionnement en redresseur de courant



$$I_{s \text{ moyen}} = \frac{3 \cdot I_{\max}}{\pi}$$

Puissance produite

$$P_s = \frac{3 \cdot U_{DC} \cdot I_{\max}}{\pi}$$

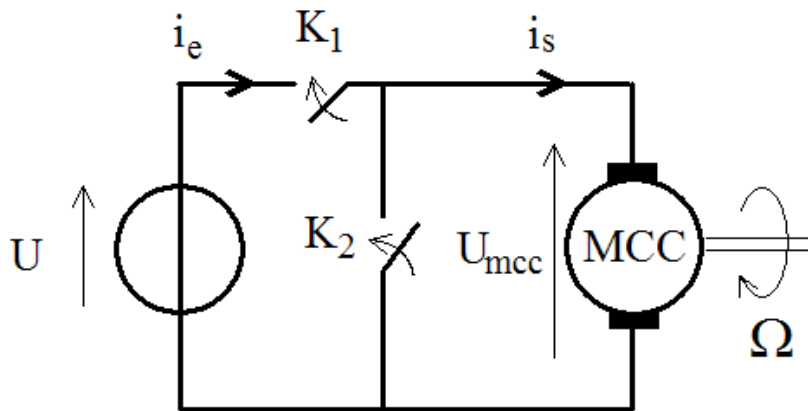
III

LES CONVERTISSEURS A DECOUPAGE (Convertisseurs rapides)

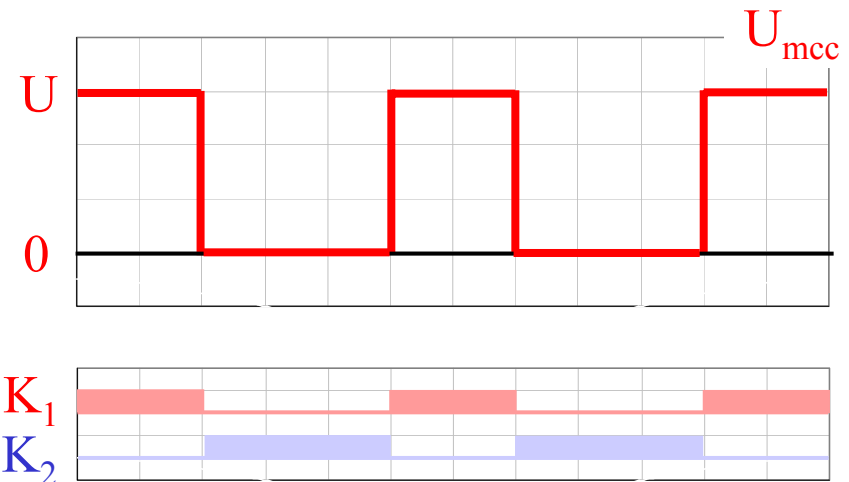
Fréquence de commutation imposée par la commande

→ Fréquence de découpage

III.1 Principe



Source de tension fixe

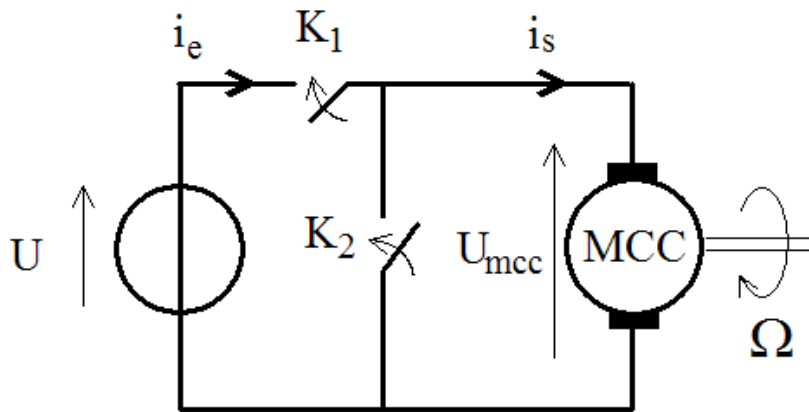


III LES CONVERTISSEURS A DECOUPAGE (Convertisseurs rapides)

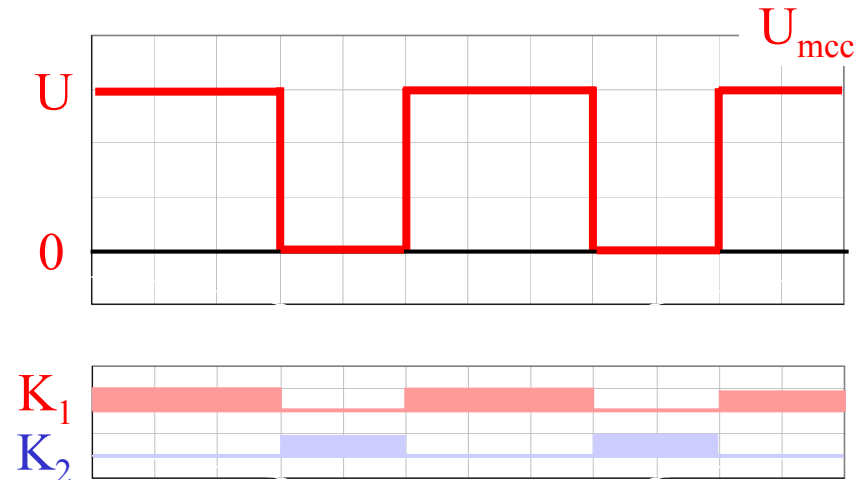
Fréquence de commutation imposée par la commande

→ Fréquence de découpage

III.1 Principe



Source de tension fixe

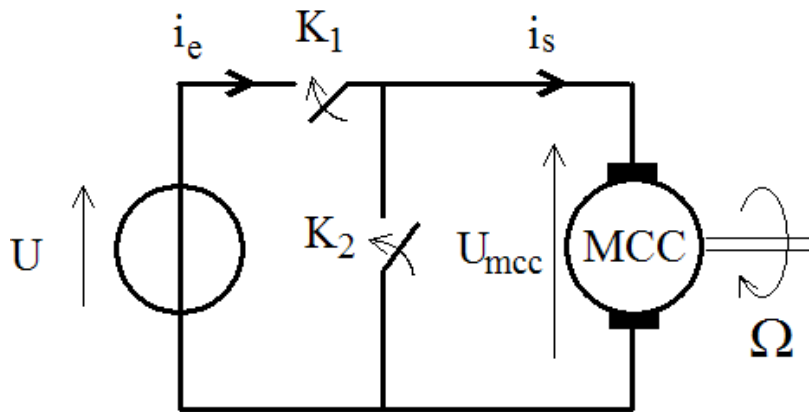


III LES CONVERTISSEURS A DECOUPAGE (Convertisseurs rapides)

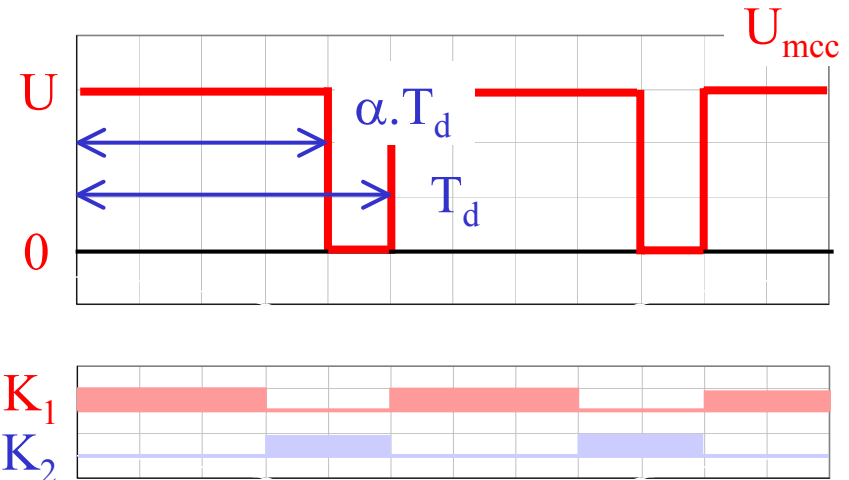
Fréquence de commutation imposée par la commande

→ Fréquence de découpage

III.1 Principe



Source de tension fixe

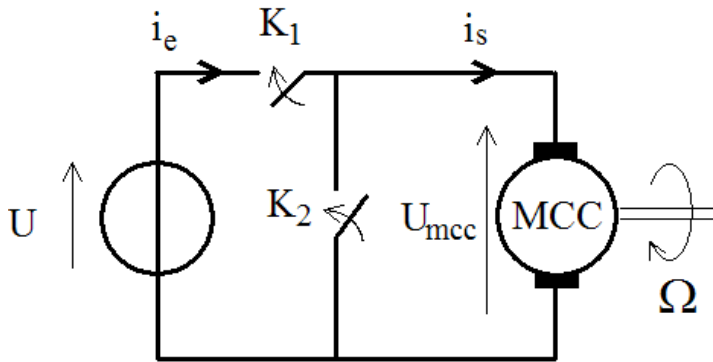


b. Bilan des puissances

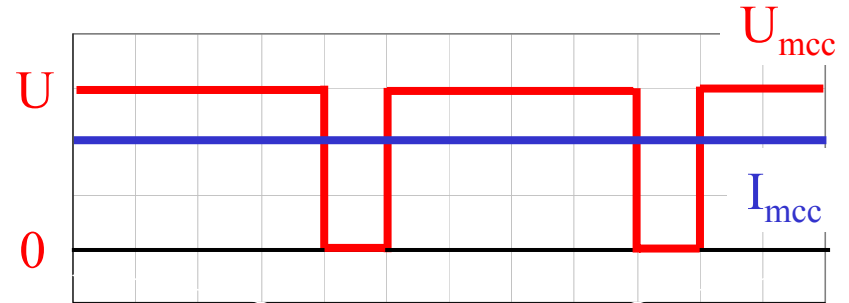
Hypothèse :

$I_{mcc} = \text{constante}$

Transistors parfaits

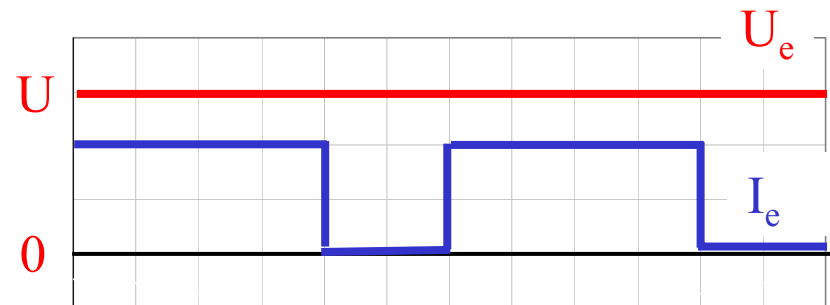


■ Côté charge



$P_{\text{sortie}} = \alpha \cdot U \cdot I$

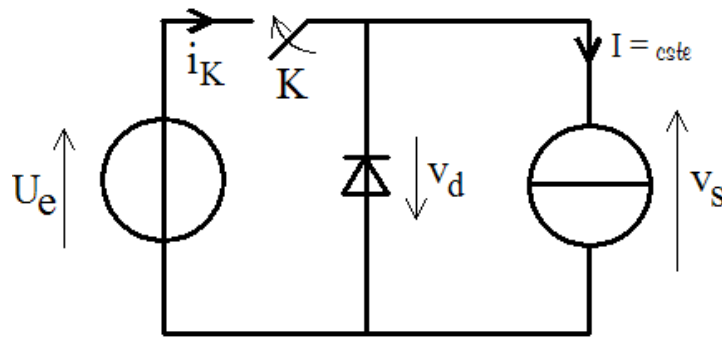
■ Côté alimentation



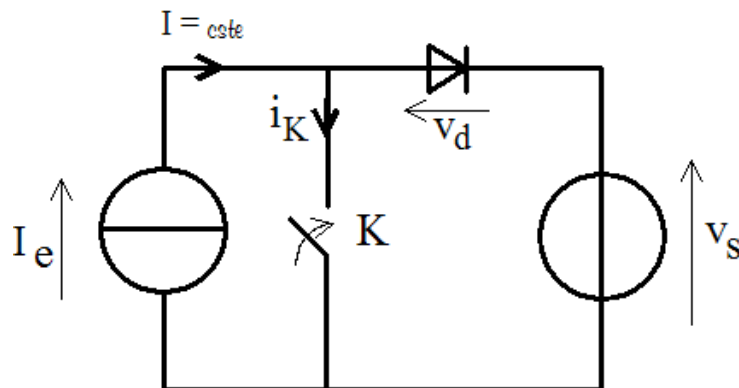
$P_{\text{entrée}} = \alpha \cdot U \cdot I$

c. Les deux structures de bases

- Hacheur série
- Hacheur parallèle



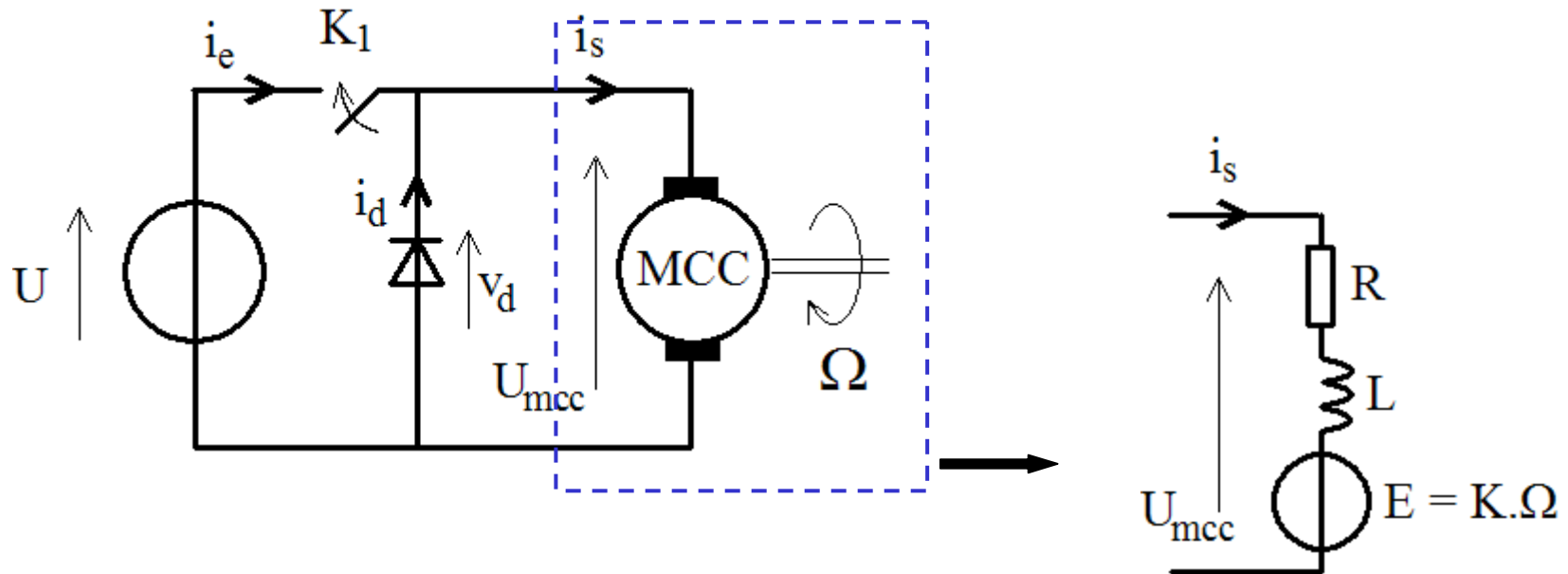
Hacheur série
=
abaisseur de tension



Hacheur parallèle
=
élevateur de tension

III.2 Hacheur série

Exemple : entraînement d'une MCC

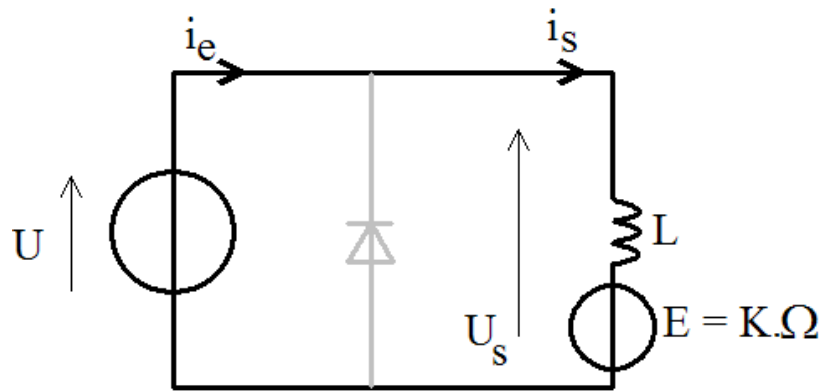


Hypothèse :

- Résistance négligeable
- Période de découpage $\ll L/R$
- Vitesse constante ($E = \text{constante}$)

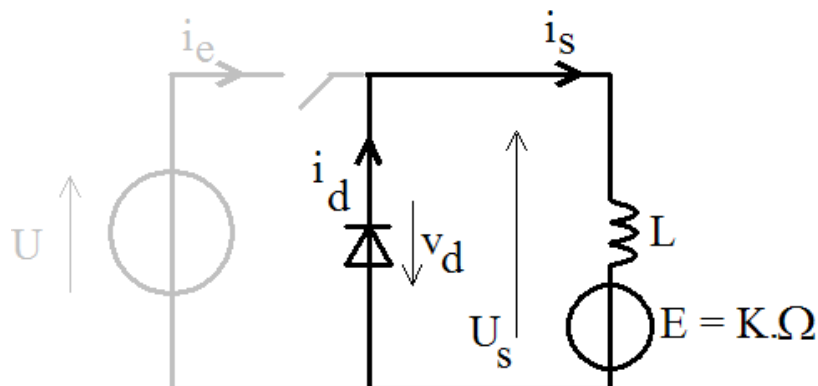
Fonctionnement

- $t = 0$ à $\alpha.T_d$ \longrightarrow **K_1 fermé & D ouverte**



$$U = L \cdot \frac{di_s}{dt} + E$$

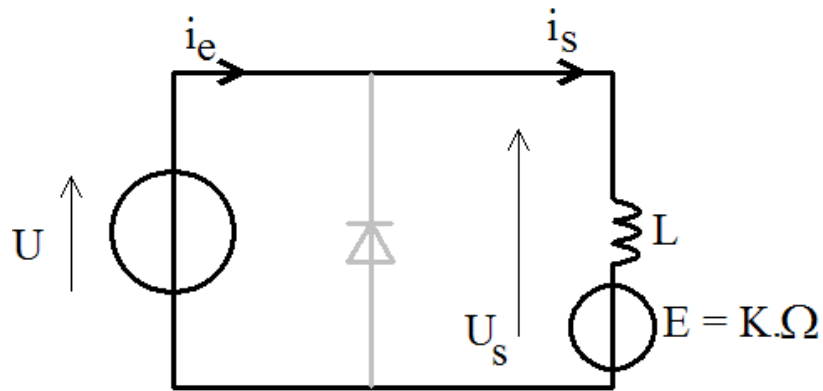
- $t = \alpha.T_d$ à T_d \longrightarrow **K_1 ouvert & D fermée**



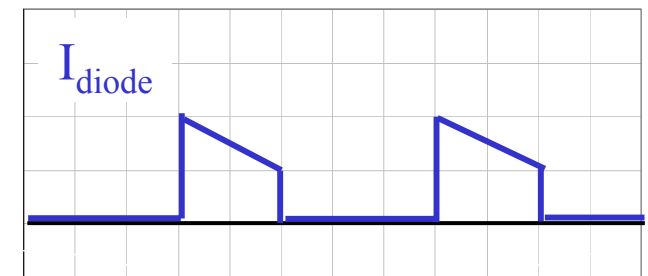
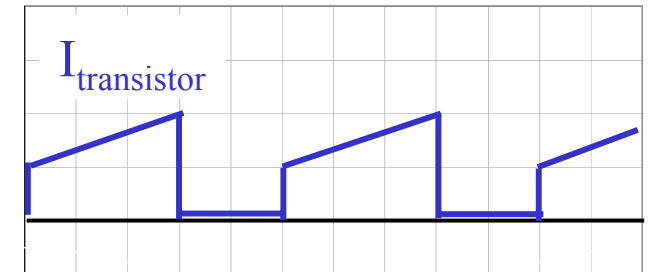
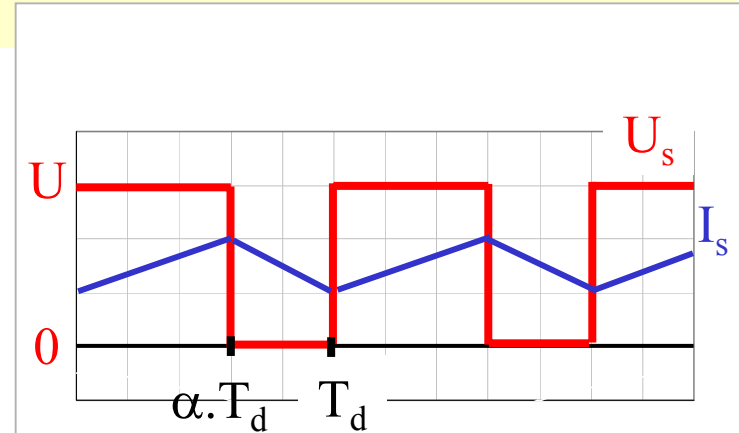
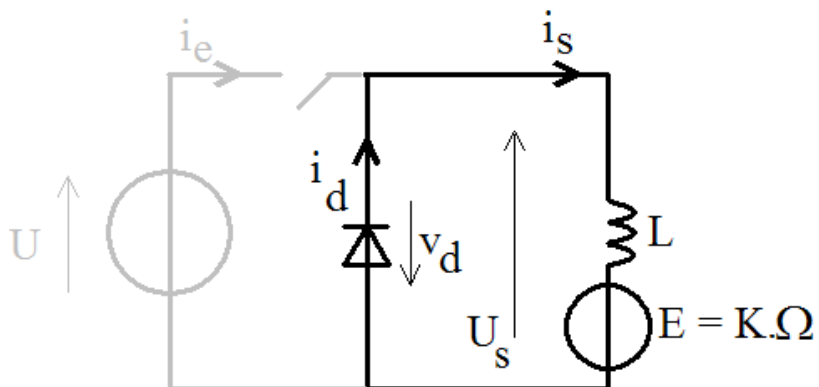
$$0 = L \cdot \frac{di_s}{dt} + E$$

Fonctionnement

■ $t = 0$ à $\alpha.T_d$ → **K_1 fermé & D ouverte**



■ $t = \alpha.T_d$ à T_d → **K_1 ouvert & D fermée**



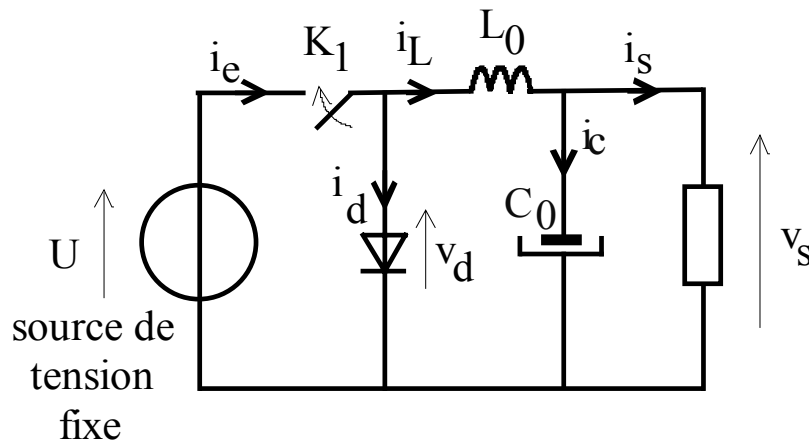
Tension moyenne

$$U_{s \text{ moyen}} = \alpha \cdot U$$

Ondulation de courant

$$\Delta i = \frac{U \cdot (1 - \alpha) \cdot \alpha}{L \cdot f_d} \longrightarrow \Delta i|_{\text{max}} = \frac{U}{4 \cdot L \cdot f_d}$$

c. Réalisation d'une source de tension à partir d'un hacheur série



Filtrage LC

$$\Delta i = \frac{U \cdot (1 - \alpha)}{L \cdot f_d}$$

$$\Delta V_c = \frac{\Delta i}{8 \cdot C_0 \cdot f_d}$$